



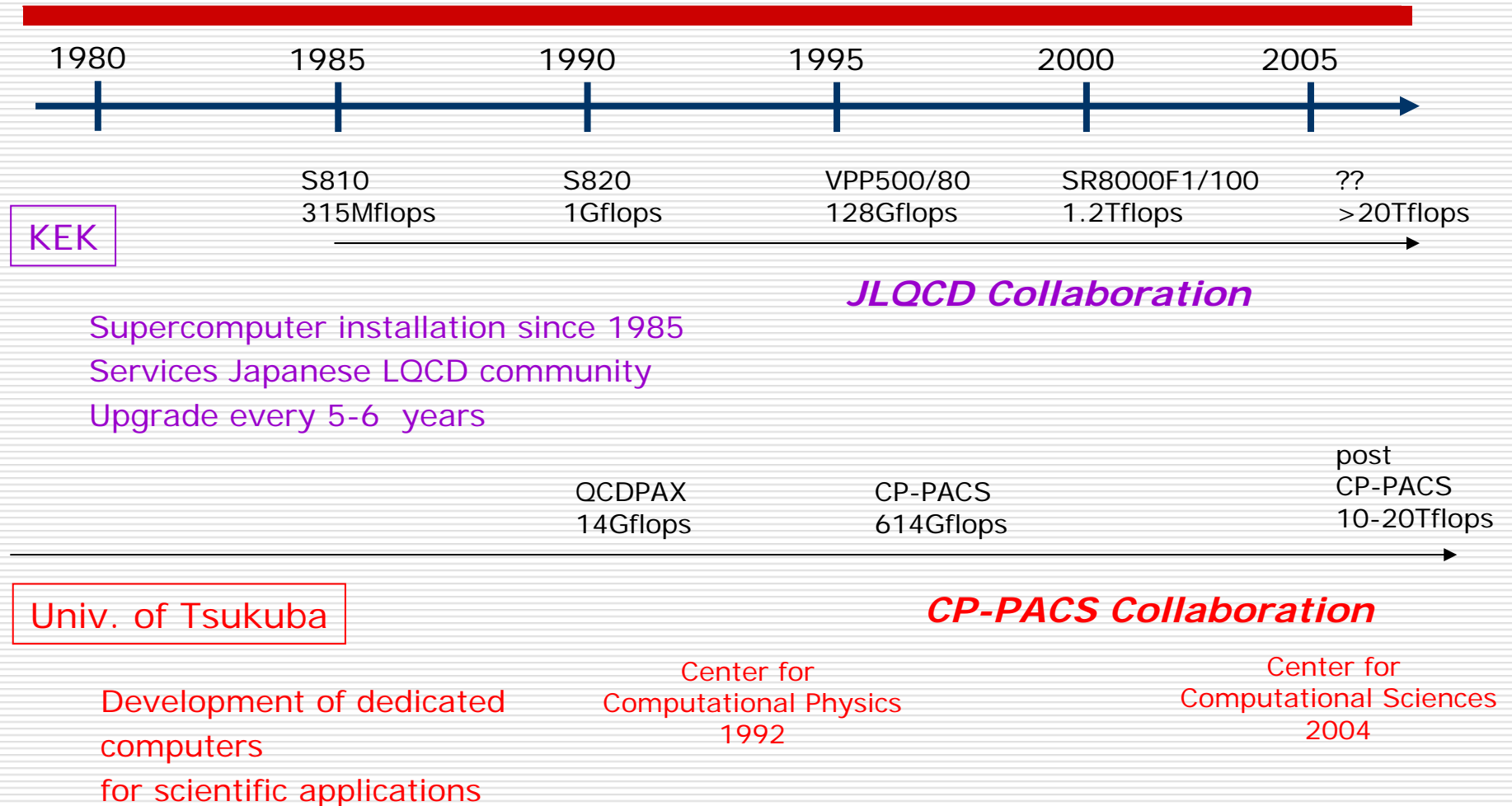
The CP-PACS Machine Plan for 2005-2007

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- Introduction*
- CP-PACS successor*
- Theoretical Benchmark*
- Schedule*



Lattice QCD in (Tsukuba) Japan





25 years of R&D of parallel computers at Tsukuba

CP-PACS



1978



1980



1989



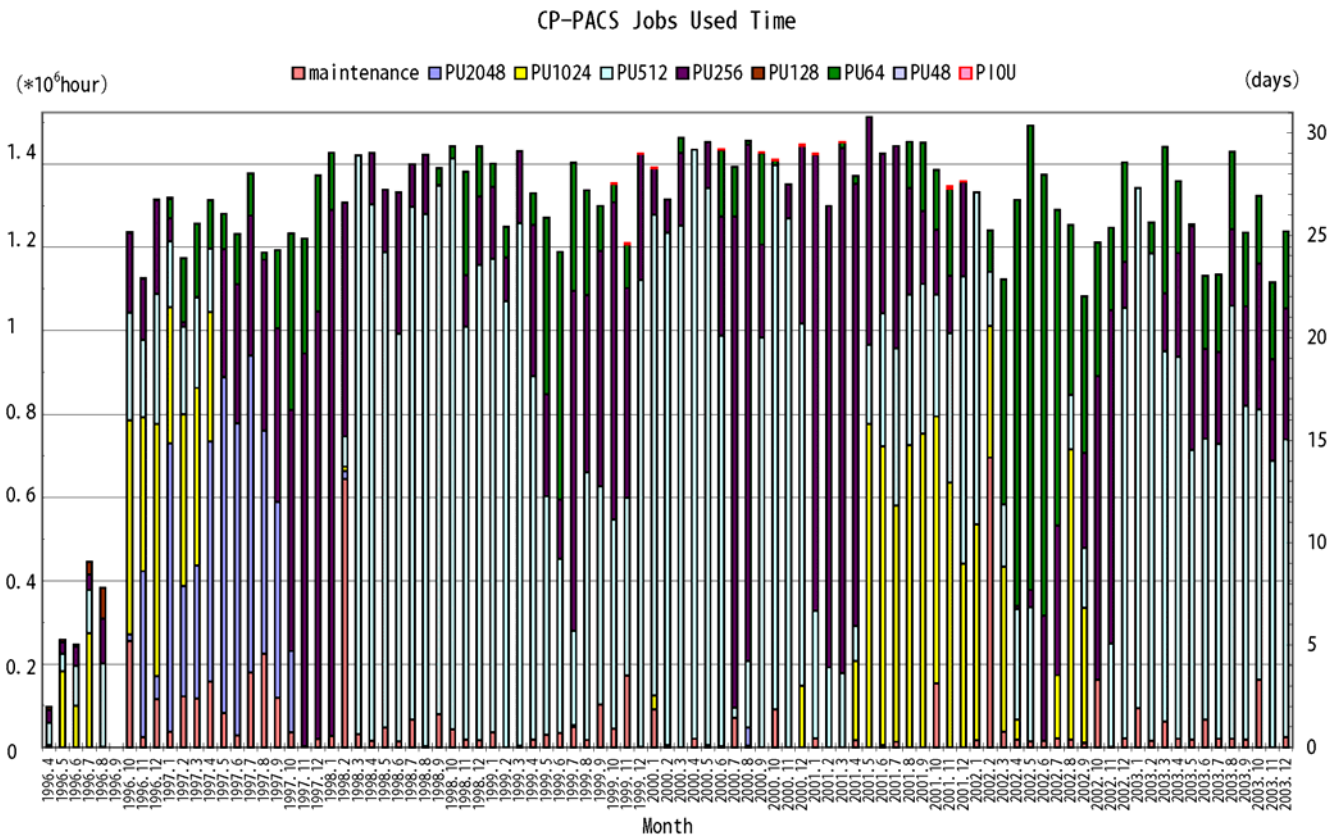
1996

year	name	speed	funding	金額
1978	PACS-9	7kflops	annual research budget	1.5MYen
1980	PAXS-32	500kflops	annual research budget	1.5MYen
1983	PAX-128	4Mflops	annual research budget	6MYen
1984	PAX-32J	3Mflops	annual research budget + special allocation by the university	30MYen
1989	QCDPAX	14Gflops	Grants-in-aid for scientific research	0.3BYen(3 years)
1996	CP-PACS	614Gflops	Special grants-in-aid	2.2BYen (5 years)



CP-PACS run statistics 1992.4 – 2003.12

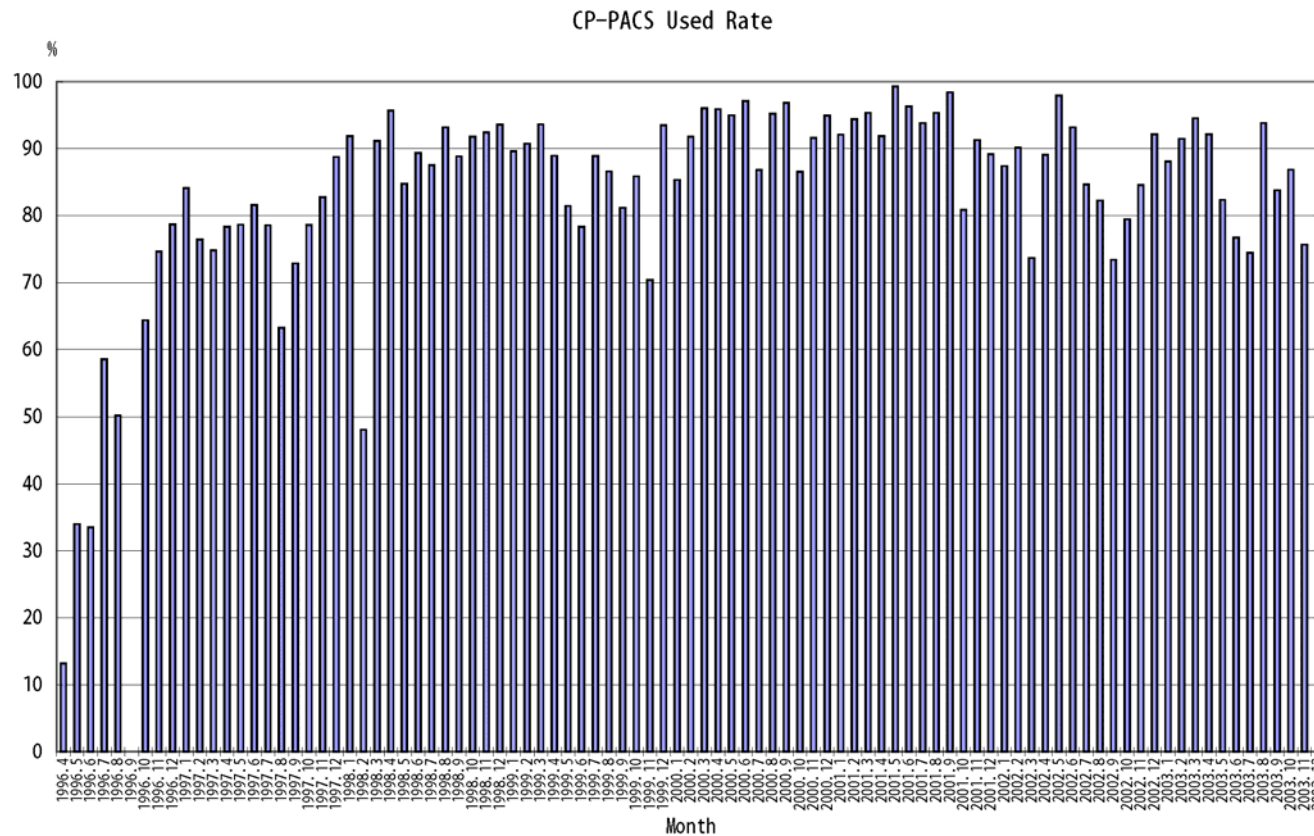
Monthly run hours according to partitions





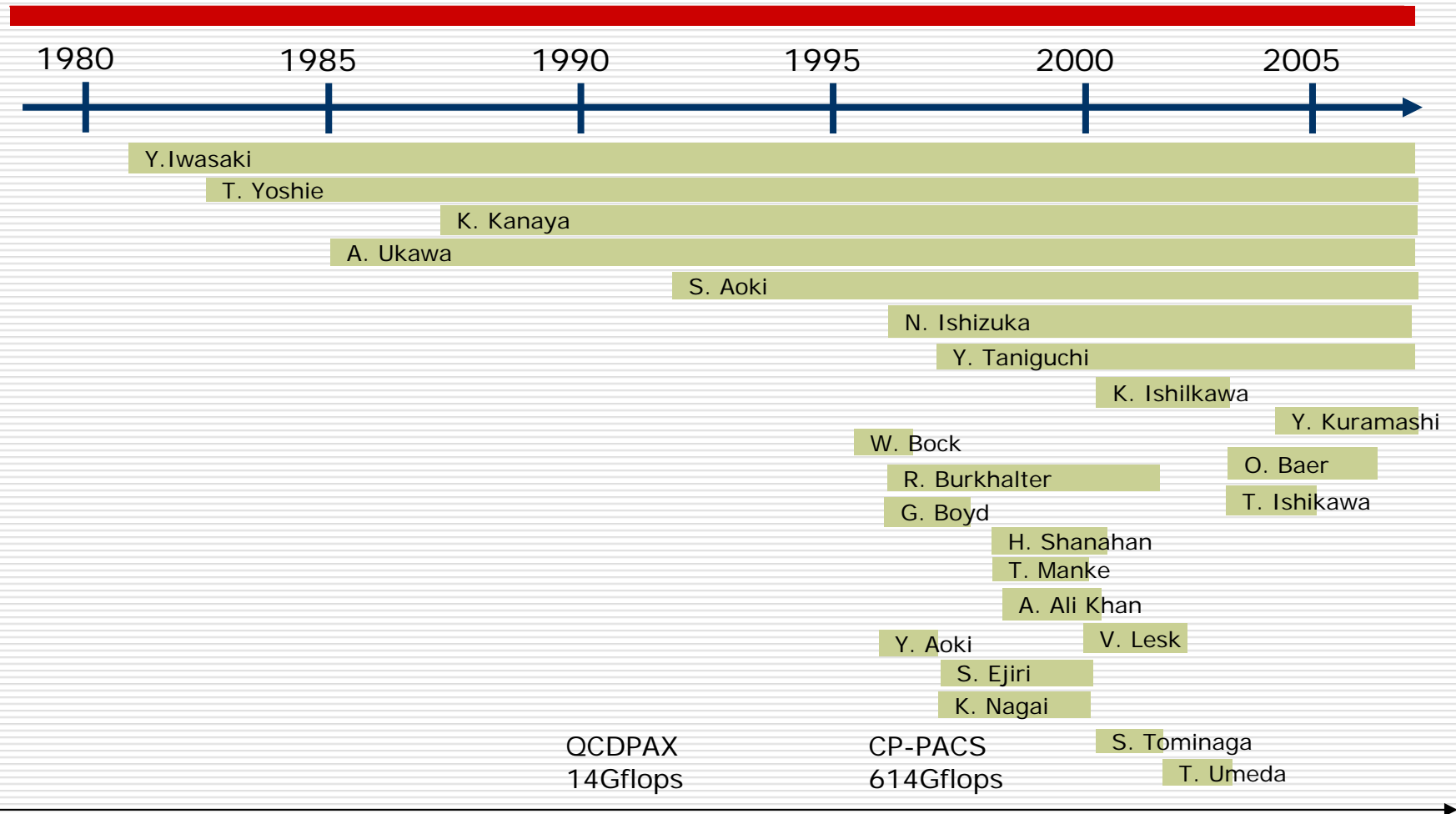
CP-PACS run statistics 1992.4 – 2003.12

Monthly usage rate = (hour used for jobs)/(physical hours of month)





People at University of Tsukuba

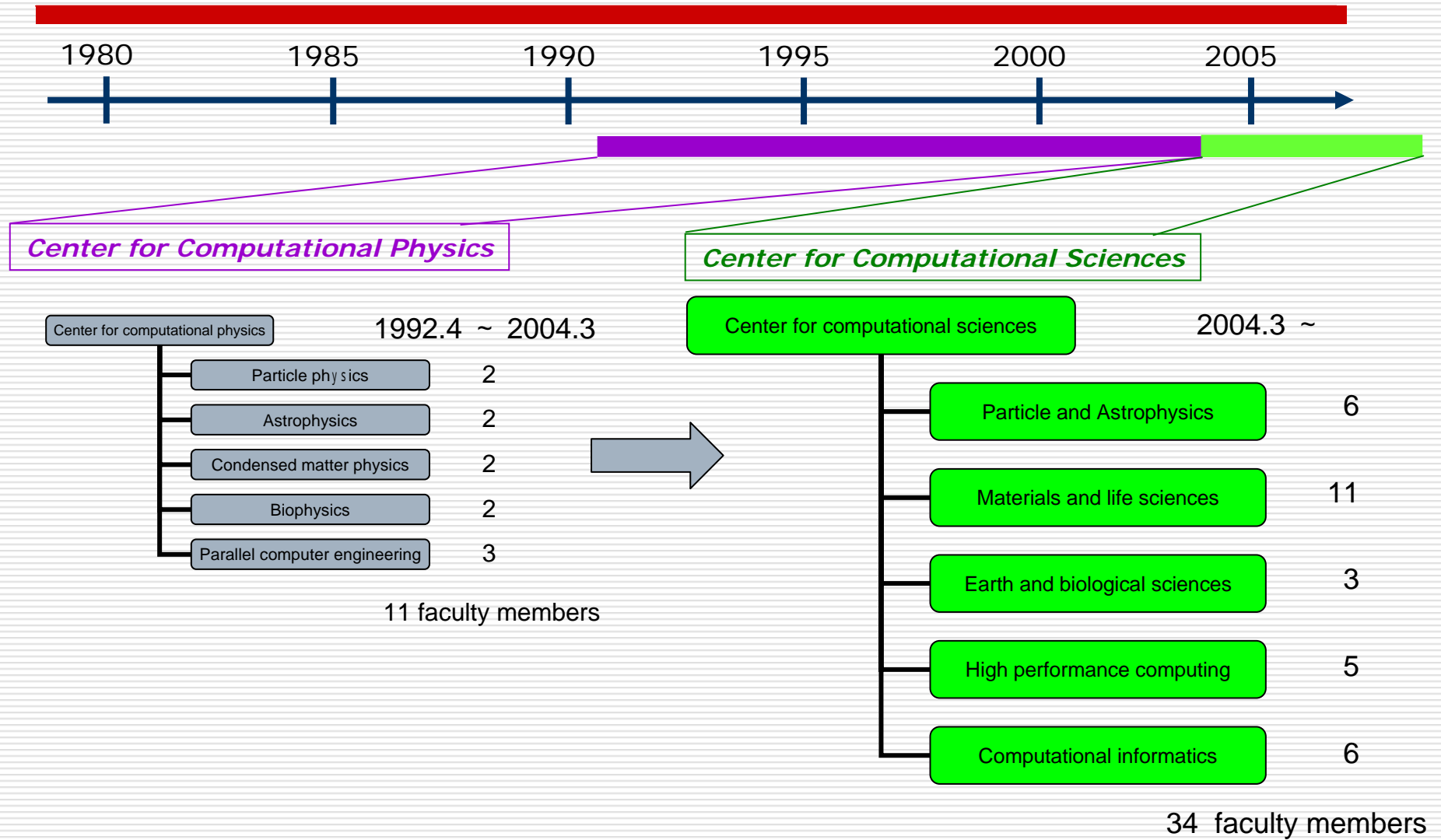


Univ. of Tsukuba

CP-PACS Collaboration



Organization





Machine perspective in Japan

- KEK
 - Upgrade of SR8000F1 in March 2006
 - Government supercomputer procurement in progress
 - >20Tflops/10TB peak performance targeted

- Center for Computational Sciences, U. of Tsukuba
 - Successor to CP-PACS planned
 - Funding requested for JFY2005-2007
 - MPP in terms of commodity components
 - At least 12Tflops/4TB system by March 2006; further installation in later years

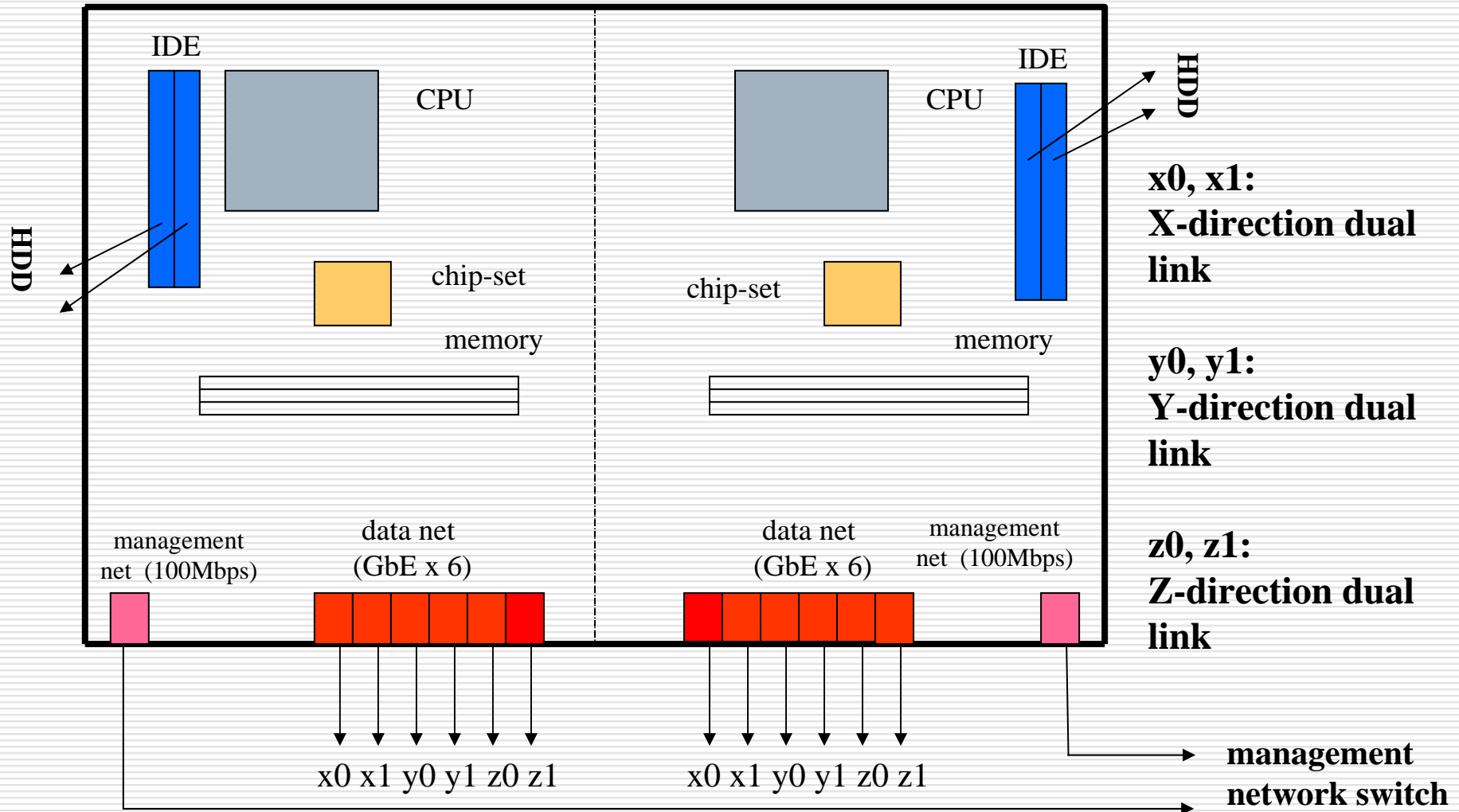


CP-PACS successor outline

- Strategy: MPP in terms of commodity components
 - Node
 - Single CPU (Xeon 3GHz)
 - 2GB PC3200 memory with FSB800
i.e., 6.4GB/s peak memory bandwidth to each CPU
 - 200GB disk (Raid0 mirror)
 - Network
 - 3-dimensional hyper-crossbar, i.e., crossbar switch in each direction
 - Dual GbEthernet for each direction,
i.e., 0.25GB/s/link and an aggregate 0.75GB/s/node
 - System size
 - At least 2048 CPU (16x16x8, 12Tflops/4TB), and hopefully up to 3072 CPU (16x16x12, 18Tflops/6TB)

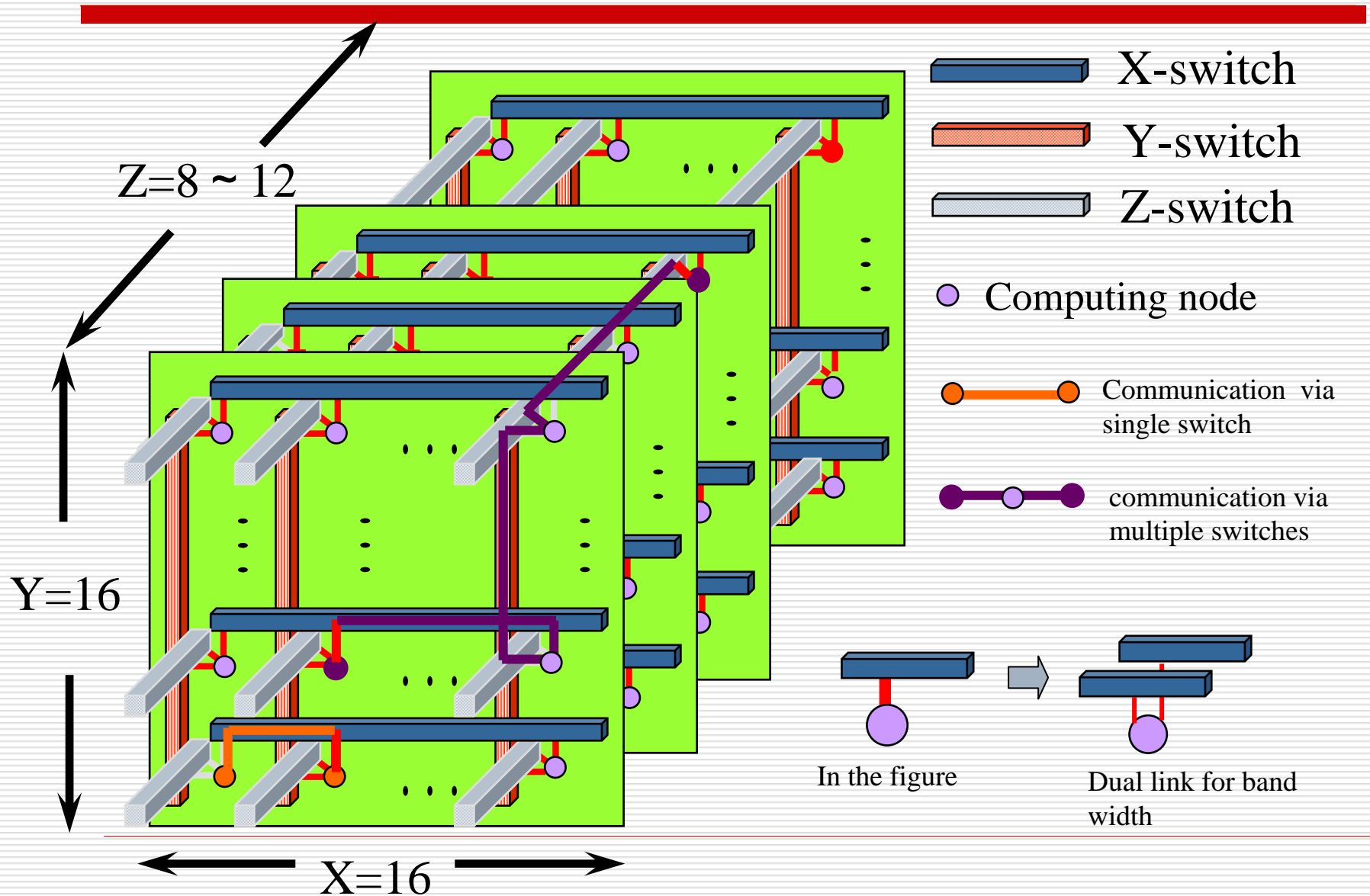


Board layout





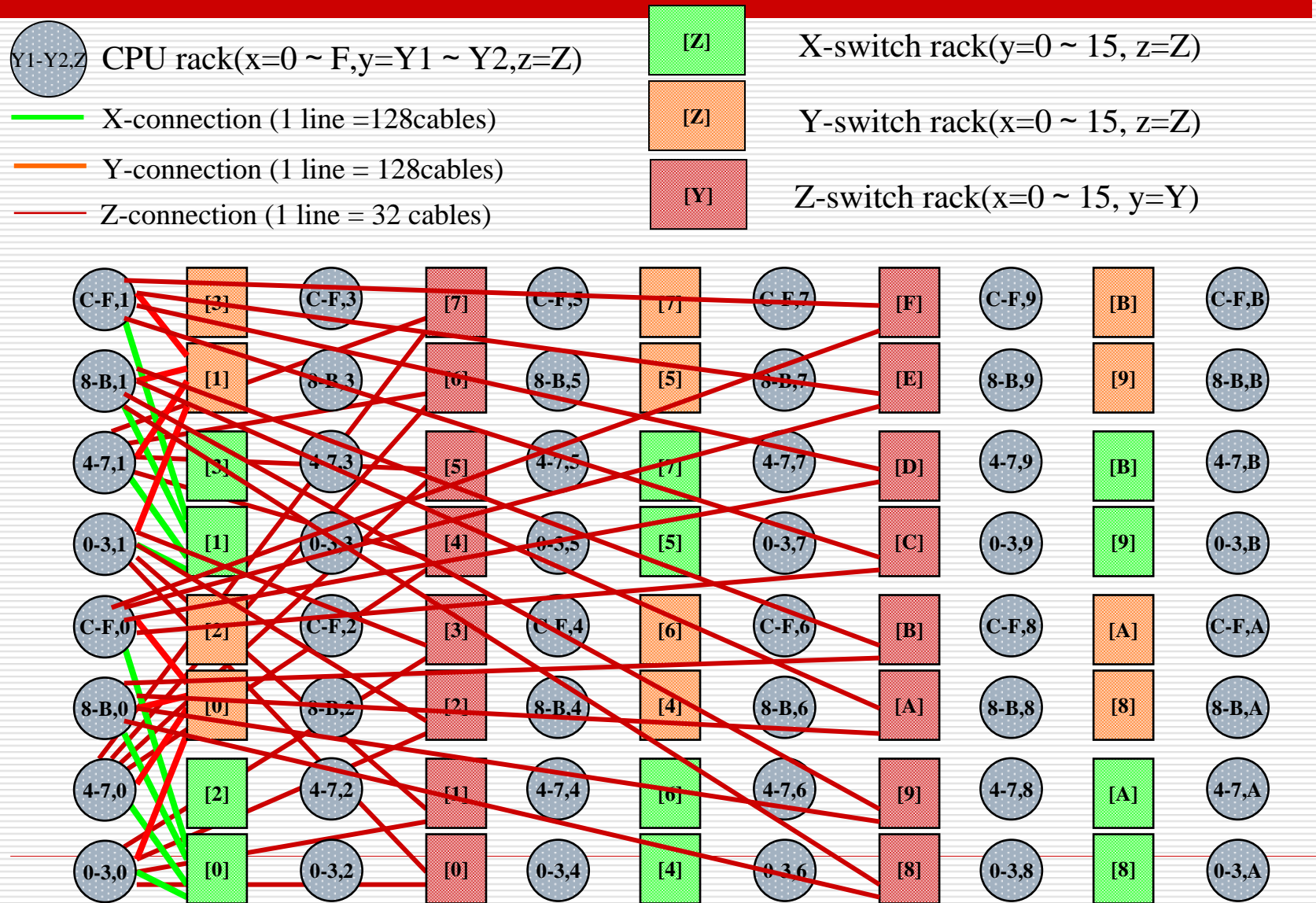
3-dimensional hypercrossbar network





Rack layout and network connections

Connections for CPU([0-F],[0-F],[0-1]) (1/6th =512 CPU) are shown





Physics possibilities on the new machines

- Wilson-clover Nf=2+1 simulation

- Runs with existing machines

- Three lattice spacings $a^2 \approx 0.015 fm^2, 0.01 fm^2, 0.005 fm^2$

- But only down to

$$\frac{m_\pi}{m_\rho} \approx 0.6 \quad i.e., \quad \frac{m_{ud}}{m_s} \approx 0.5$$

- *Wish to go down to*

$$\frac{m_\pi}{m_\rho} \approx 0.4 \quad i.e., \quad \frac{m_{ud}}{m_s} \approx 0.2 \quad \text{or less...}$$

- Domain wall/overlap

- Under discussion

- Staggered

-



Performance Benchmark estimate (I)

- Wilson-clover Nf=2+1 PHMC code
- Parameters

lattice size $N_s^3 \times N_t$

BiCGStab inversions $N_{inv} = 31 + \frac{10.7}{m_q a} *$

polynomial order N_{poly}

HMC step size $d\tau = \left(0.223m_q (GeV) - 0.620m_q (GeV)^2\right) \times \frac{24}{N_s} *$

node array $n_x \times n_y \times n_z$

pi/rho	m _q (GeV)
0.7	0.079
0.6	0.044
0.5	0.0255
0.4	0.0145
0.3	0.0075
0.2	0.0025

*

*Nf=2 empirical fit ; need revision for Nf=2+1

- Flop/node/trajectory

$$\# \text{ flops} = \left(130938 + 8808N_{inv} + 3666N_{poly}\right) \times \frac{N_s^3 \times N_t}{n_x n_y n_z} \frac{1}{d\tau}$$

- Data sent/node/trajectory

$$\# \text{ data sent} = \left(10 + 8N_{inv} + \frac{7}{2}N_{poly}\right) \times 192 \times \left(\frac{N_t}{2} + 1\right) \times 2 \times \left(\frac{N_s}{n_x} \frac{N_s}{n_y} + \text{perm}\right) \frac{1}{d\tau} \text{ Byte}$$



Performance Benchmark estimate (II)

□ Target runs

lattice size $24^3 \times 48$ at $a \approx 0.1 fm$, $32^3 \times 64$ at $a \approx \sqrt{\frac{1}{2}} 0.1 fm$
#trajectories 10000
polynomial order 300

□ Machine assumptions

system size 2048CPU
job partition $8^3 = 512CPU \times 4$
CPU performance 2 Gflops
network performance 0.2 GB / s / link (3 directions overlapped)
network latency 20 μs



Performance Benchmark estimate (III)

			Standard HMC						
1/a	lattice size		pi/rho	Ninv	1/dt	time/ traj (hr)			10000traj
(GeV)	Ns	Nt				calc	comm	total	(days)
2	24x48		0.6	517	116	0.12	0.13	0.25	26
			0.5	870	189	0.30	0.32	0.62	65
			0.4	1507	322	0.84	0.89	1.73	180
			0.3	2884	611	2.93	3.11	6.03	629
			0.2	8591	1806	25.00	26.57	51.57	5372
2.83	32x64		0.6	719	155	0.67	0.46	1.13	118
			0.5	1218	252	1.72	1.19	2.91	303
			0.4	2118	430	4.86	3.39	8.25	860
			0.3	4066	814	17.16	11.99	29.14	3036
			0.2	12143	2408	148.23	103.66	251.89	26238

Rather dismal number of days



Acceleration possibilities (I)

□ Hasenbusch acceleration

M. Hasenbusch Hep-lat/0107019

$$\det M^+ M = \int d\phi_1^+ d\phi_1 \exp\left(-\phi_1^+ \frac{1}{W^+ W} \phi_1\right) \cdot \int d\phi_2^+ d\phi_2 \exp\left(-\phi_2^+ \frac{1}{\tilde{M}^+ \tilde{M}} \phi_2\right)$$

$$M = 1 - \kappa^2 M_{oe} M_{eo}$$

$$W = M + \rho$$

$$\tilde{M} = W^{-1} M$$

- Factor 2 larger step size without fine tuning of ρ
- Implementation in progress

□ Domain-decomposition techniques

M. Luescher Hep-lat/0409106



Acceleration possibilities (II)

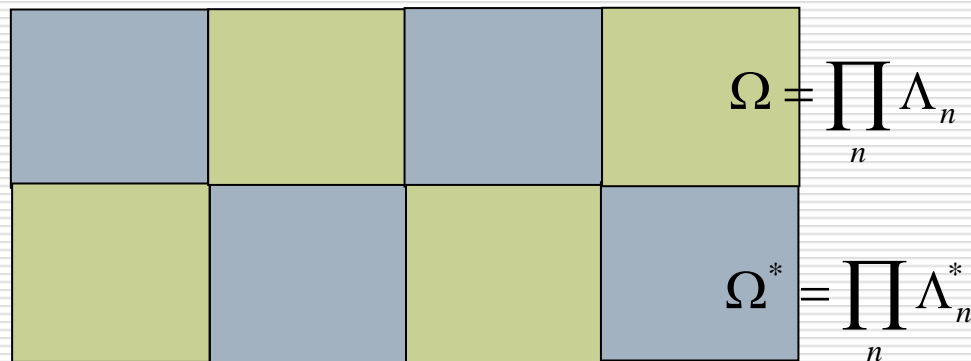
□ Domain decomposition acceleration

$$\det D^+ D = \int d\phi_\Omega^+ d\phi_\Omega \exp\left(-\phi_\Omega^+ \frac{1}{D_\Omega^+ D_\Omega} \phi_\Omega\right) \cdot \int d\phi_{\Omega^*}^+ d\phi_{\Omega^*} \exp\left(-\phi_{\Omega^*}^+ \frac{1}{D_{\Omega^*}^+ D_{\Omega^*}} \phi_{\Omega^*}\right) \cdot \int d\phi_R^+ d\phi_R \exp\left(-\phi_R^+ \frac{1}{R^+ R} \phi_R\right)$$

$$D_\Omega = \sum_n D_{\Lambda_n} \quad , \quad D_{\Omega^*} = \sum_n D_{\Lambda_n^*} \quad \text{Dirichlet b.c. on } \partial\Omega = \sum_n \partial\Lambda_n \quad , \quad \partial\Omega^* = \sum_n \partial\Lambda_n^*$$

$$R = 1 - \theta_{\partial\Omega^*} D_\Omega^{-1} D_{\partial\Omega} D_{\Omega^*}^{-1} D_{\partial\Omega} \quad \text{Values only on the boundary of domains}$$

$$R^{-1} = 1 - \theta_{\partial\Omega^*} D^{-1} D_{\partial\Omega^*}$$





Acceleration possibilities (III)

- Crucial observation(Luescher)

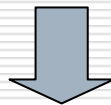
F_0 force due to gauge action

F_1 force due to D_Ω and D_{Ω^*}

F_2 force due to R

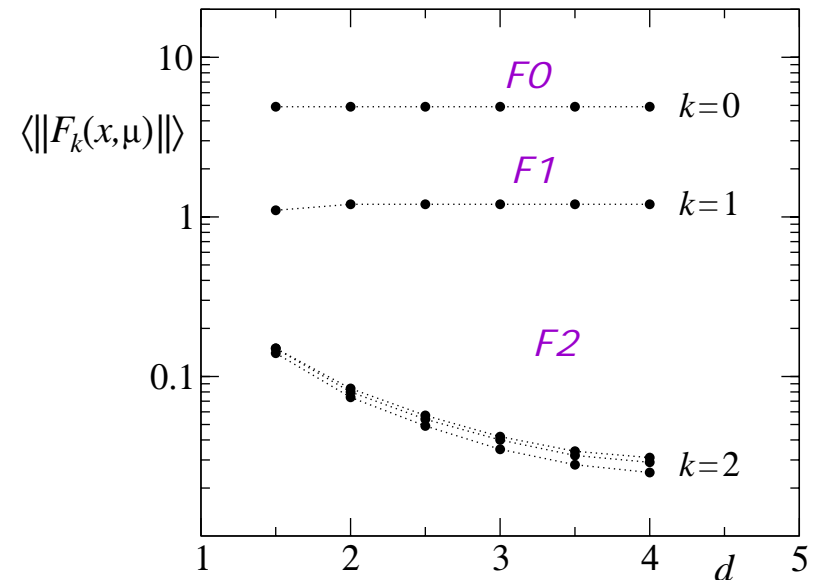
Numerically at $\frac{m_\pi}{m_\rho} \approx 0.7 - 0.4$ and $a^{-1} \approx 2.4 \text{ GeV}$

$$F_0 : F_1 : F_2 \approx 5 : 1 : 0.2 = 25 : 5 : 1$$



Use larger step sizes for quarks

$$d\tau_0 : d\tau_1 : d\tau_2 \approx 1 : 5 : 25$$



From M. Luescher Hep-lat/0409106

	$\Omega = \prod_n \Lambda_n$		
	$\Omega^* = \prod_n \Lambda_n^*$		



Advantages with domain-decomposed HMC

- $D_{\Lambda_n} \rightarrow D_{\Lambda_n}^{-1} \quad D_{\Lambda_n^*} \rightarrow D_{\Lambda_n^*}^{-1}$
 - Inversion in each domain once every 5 MD steps or so
 - Dirichlet boundary condition, hence
 - easier to invert
 - No inter-node communication if the domain is within the node

- $R \rightarrow R^{-1} = 1 - \theta_{\partial\Omega^*} D^{-1} D_{\partial\Omega^*}$
 - Full inversion once every 25 MD steps or so

- *Both Floating and Communication Requirements are reduced.....*



Acceleration possibilities (IV)

			standard HMC	domain-decomposed HMC								
1/a	lattice size		pi/rho	10000traj	#steps			time/traj(hr)			10000traj	acceleration
(GeV)	N _s	N _t		(days)	N0	N1	N2	calc	comm	total	(days)	
2	24x48	0.6	26	4	5	5	0.031	0.005	0.037	4	7	
		0.5	65	4	5	6	0.058	0.010	0.068	7	9	
		0.4	180	4	5	7	0.110	0.019	0.129	13	13	
		0.3	629	4	5	8	0.230	0.041	0.271	28	22	
		0.2	5372	4	5	9	0.747	0.139	0.880	92	59	
2.83	32x64	0.6	118	5	6	6	0.181	0.018	0.199	21	6	
		0.5	303	5	6	7	0.333	0.033	0.366	38	8	
		0.4	860	5	6	9	0.713	0.071	0.784	82	11	
		0.3	3036	5	6	10	1.475	0.147	1.622	169	18	
		0.2	26238	5	6	11	4.739	0.473	5.213	543	48	

- Only a paper estimate, but more than encouraging
- Implementation in progress



Physics issues – standard targets (I)

- Light hadron spectrum within a few % accuracy
 - Nucleon mass
 - rho meson as a resonance
 - Finite-size techniques
 - Wilson chiral perturbation theory
- Light quark masses and strong coupling constant
 - Non-perturbative RG running and Z factors
 - Schroedinger functional methods
- Hadron physics
 - eta' meson and topology
 - exotics (glueballs, multi-quark states)

German-Japanese Workshop
S. Aoki



Physics issues – standard targets (II)

Interface with the electro-weak sector

- K meson system
 - BK
 - Non-perturbative Z factor
 - Kl3 form factor
- Charm and bottom quark systems
 - Onium and heavy-light spectra
 - Decay constants and B parameters
 - weak form factors
 - Relativistic heavy quark action (Aoki-Kuramashi-Tominaga)

German-Japan Workshop
S. Hashimoto

German-Japan Workshop
Y. Kuramashi



Physics issues – standard targets (III)

- Finite-temperature behavior
 - Physical $N_f=2+1$ Phase diagram
 - Critical temperature
 - Equation of state
 - Finite-temperature effects in the hadron spectra
 - Issue of parity-broken phase
- Finite-density behavior
 - Small chemical potential
 - Large chemical potential?



Physics issues – some challenges

- K- \rightarrow pipi decays and CP violation
 - Calculation with two pions in the final state
 - Already some success in the $I=2$ channel
 - Much advance in the related pipi 2-body calculations
 - Finite-size theoretical setup by Lellouch-Luescher

- Hadron scattering and nuclear binding
 - Nucleon-nucleon potential
 - Dependence on quark mass is a very interesting issue
e.g., deuteron may not bound if quarks are heavier....(?)
 - Kaon-nucleon potential
 - Relevant for penta-quark

-



Schedule

Center for Computational Sciences

