

3次元輻射流体計算で探る超大質量ブラックホールの起源

～浮遊する種ブラックホールへの超臨界降着過程～

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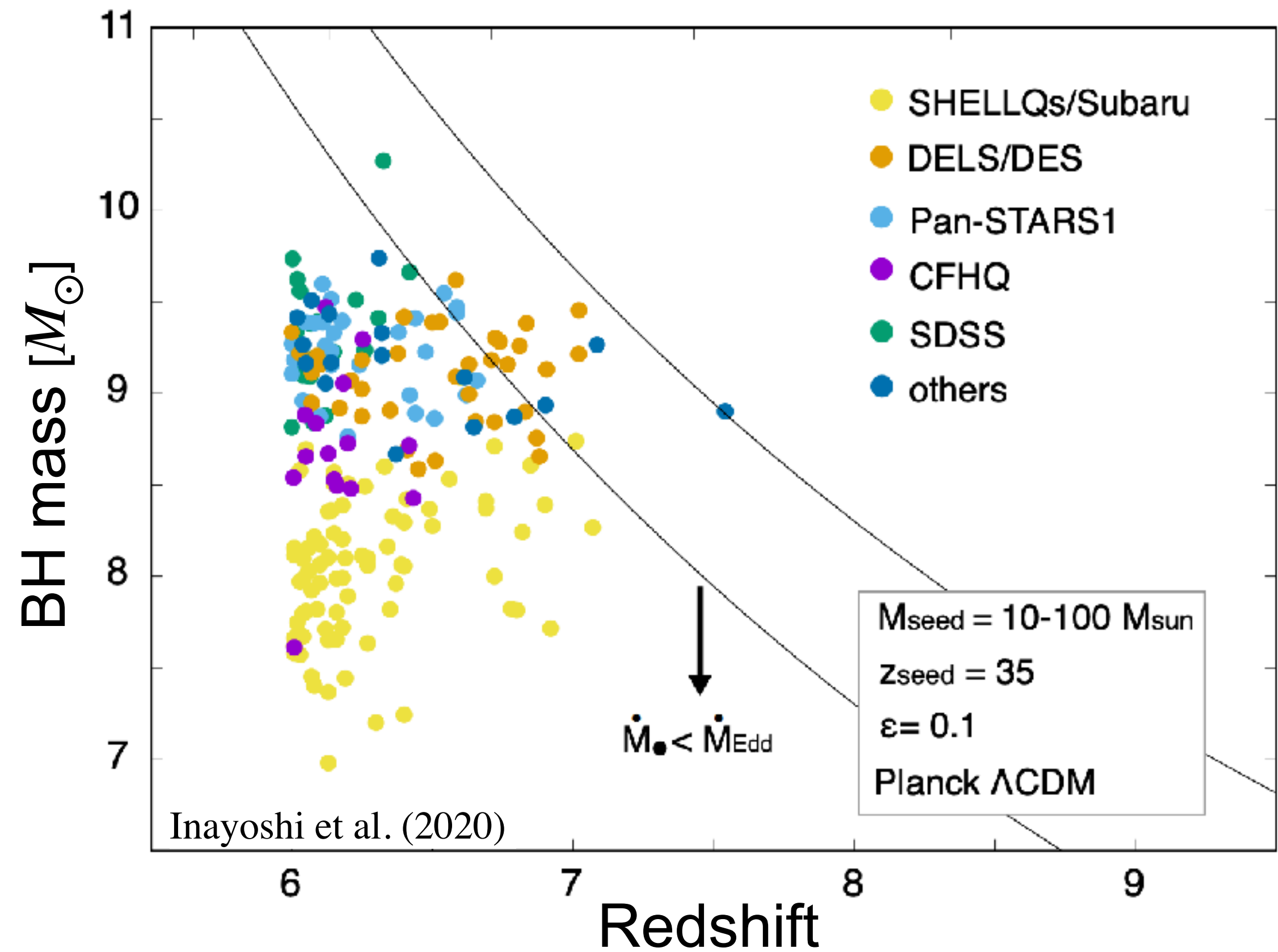
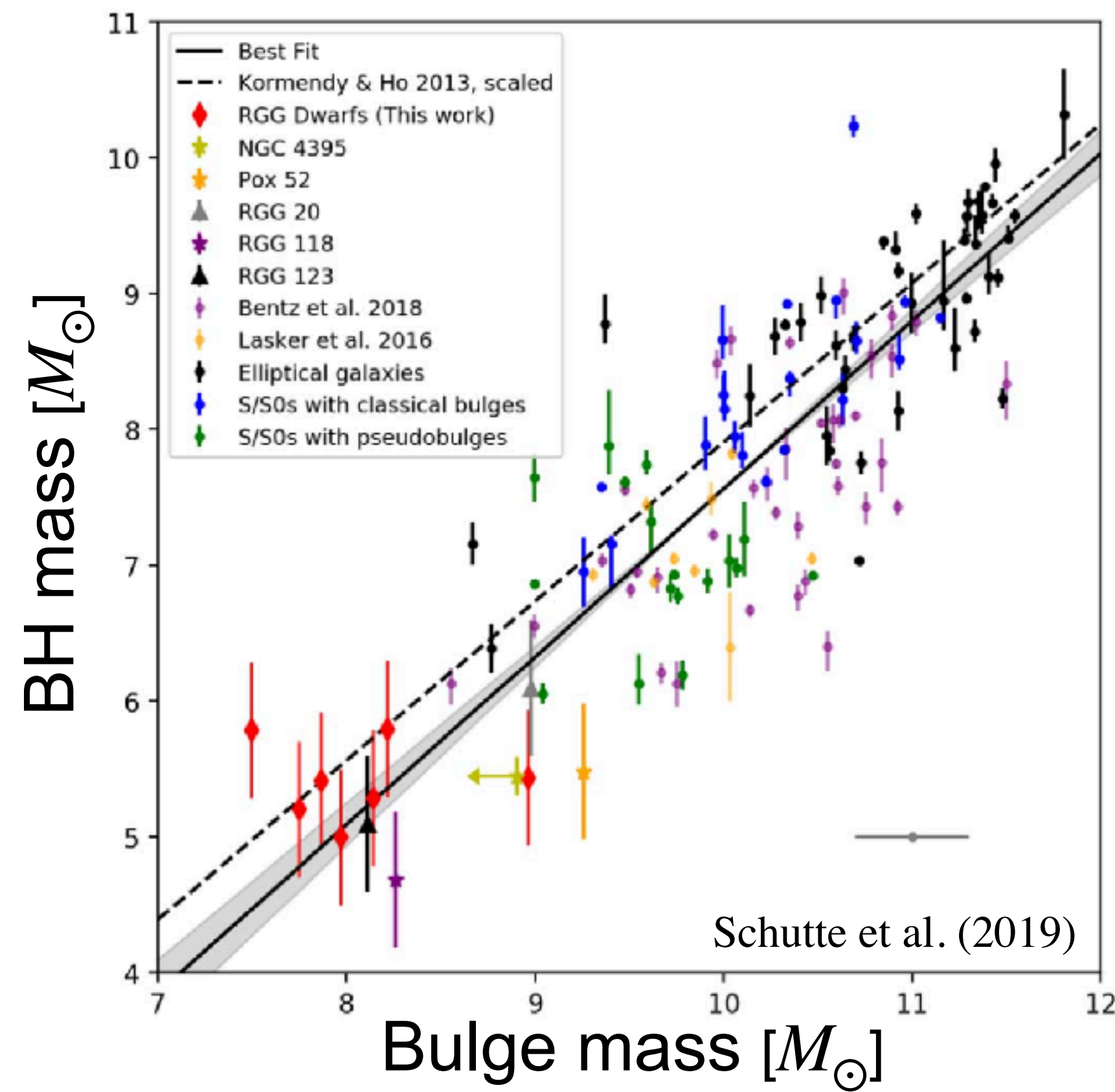


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Supermassive Black Hole

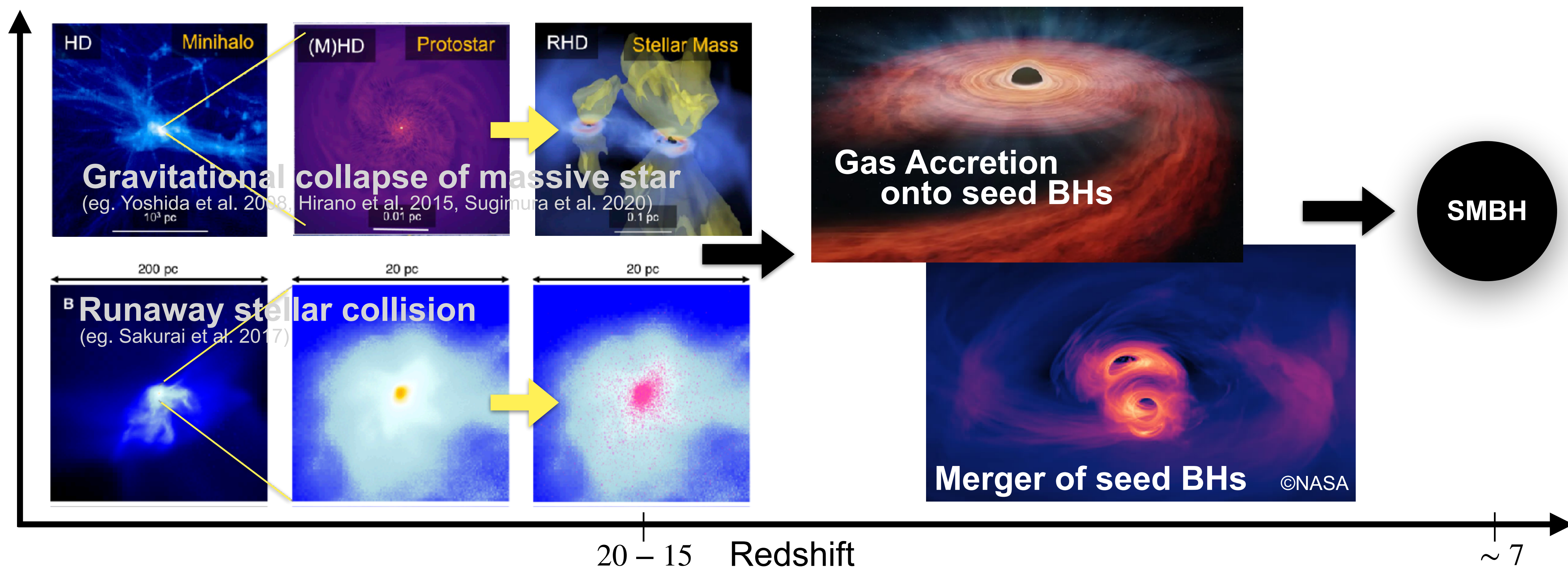
- It exists universally at the center of the galaxies
- There is a strong relation with the bulge mass of the host galaxies (left Fig.)
- It already exists even in the early universe $z \gtrsim 7$ (right Fig.)

→ **How is the supermassive BH born? (Open question in astronomy)**



Theoretical scenario of formation of SMBHs

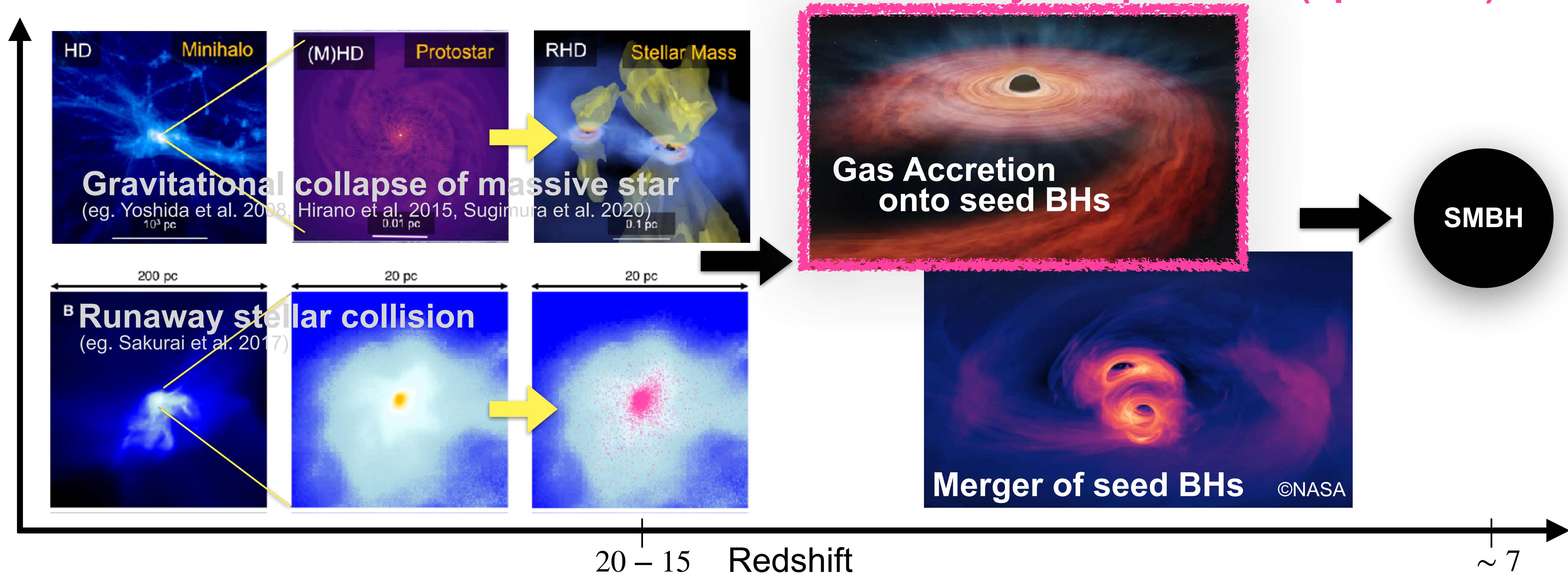
- The formation process of supermassive black holes consists of 2 steps.
 - Birth of seed BHs with a mass of $10^{2-5} M_{\odot}$
 - Growth of the seed BHs to SMBHs (via Gas accretion, Merger with other BHs/stars)



Theoretical scenario of formation of SMBHs

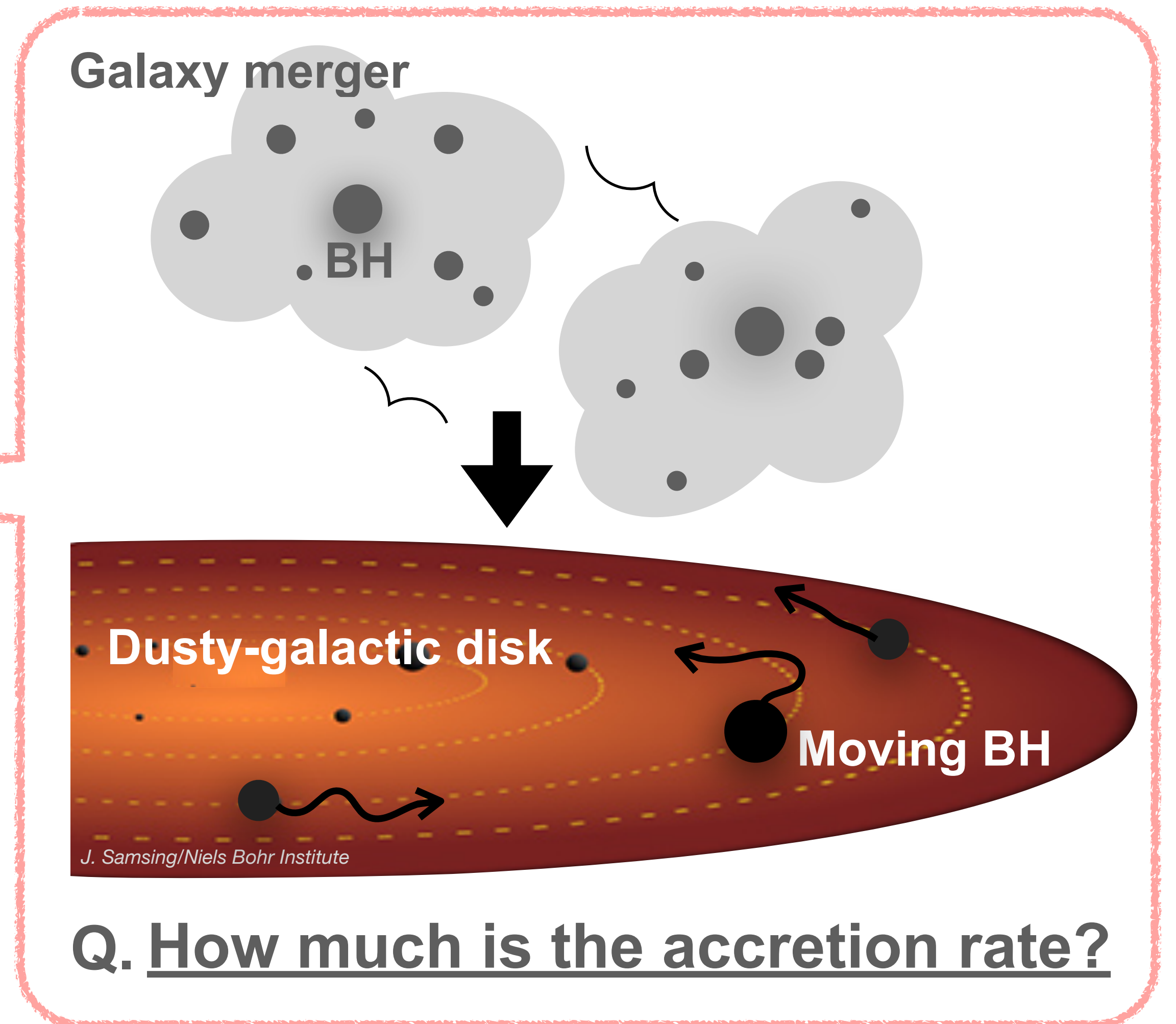
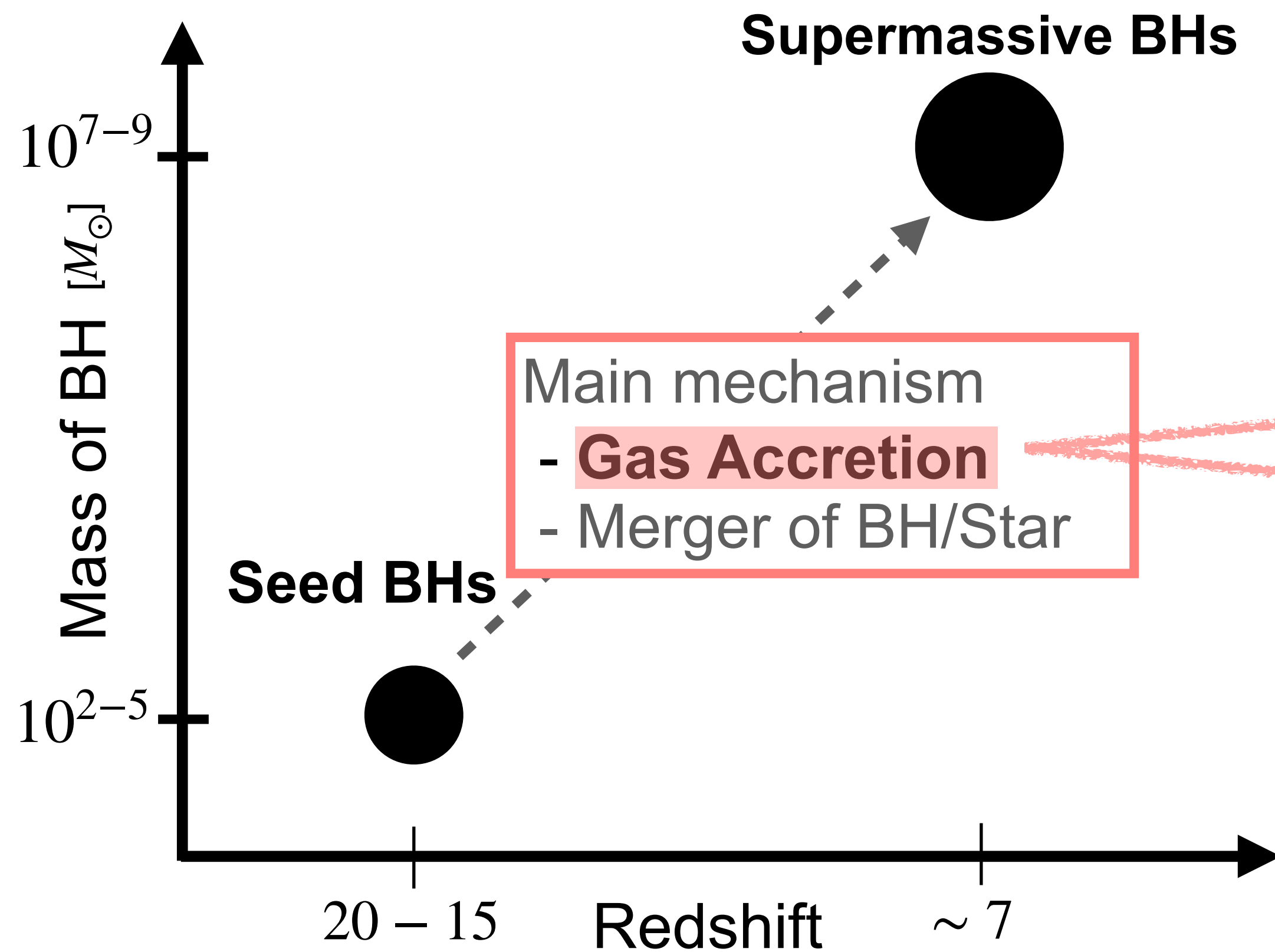
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“We focus only this process” (~pc scale)



What do we do?

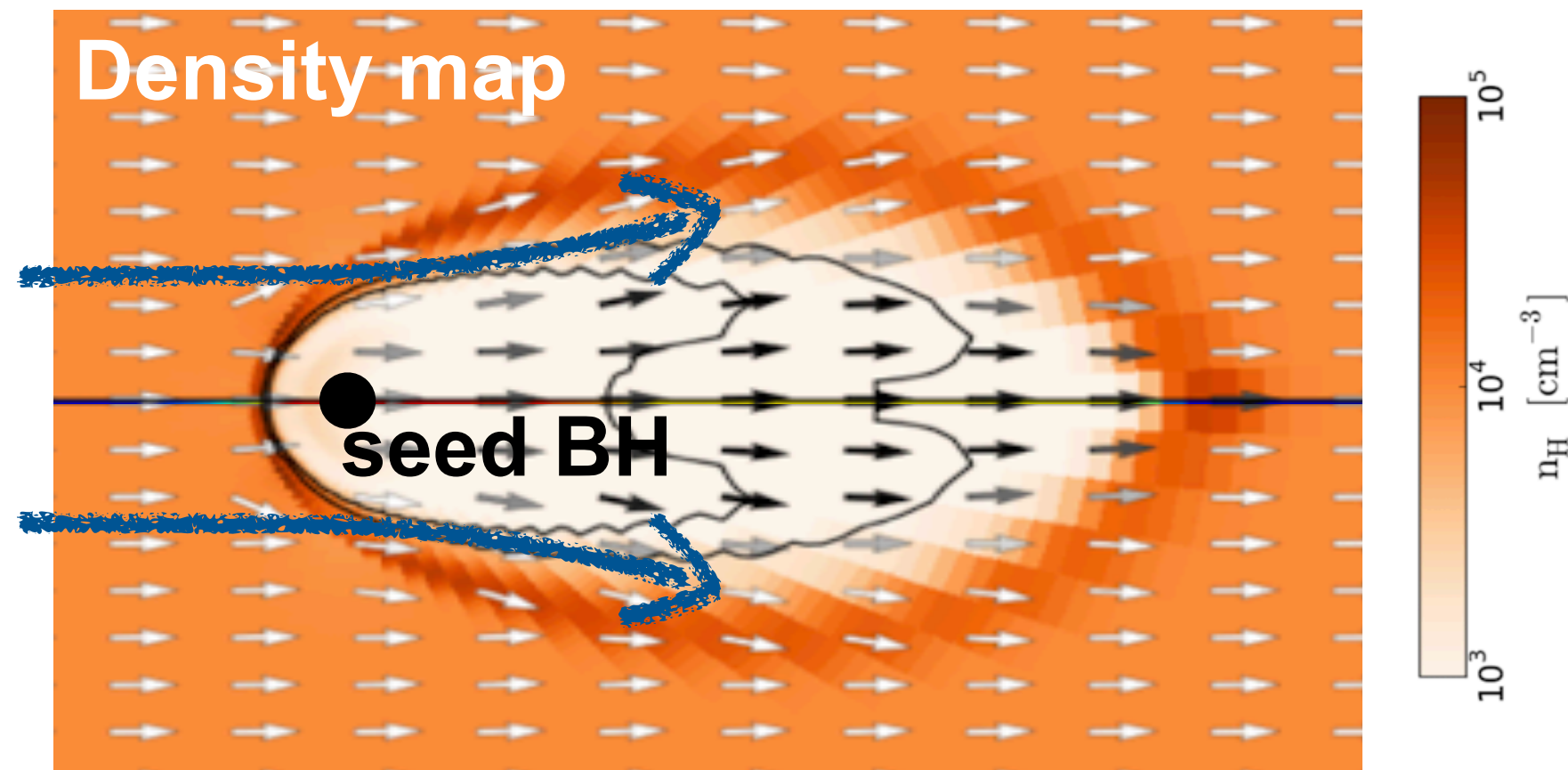
- To contribute to understanding of the formation process of SMBHs, we investigate gas accretion mechanism of the seed BHs floating in the dusty remnant galactic gas



Previous studies of moving objects in dusty-gas

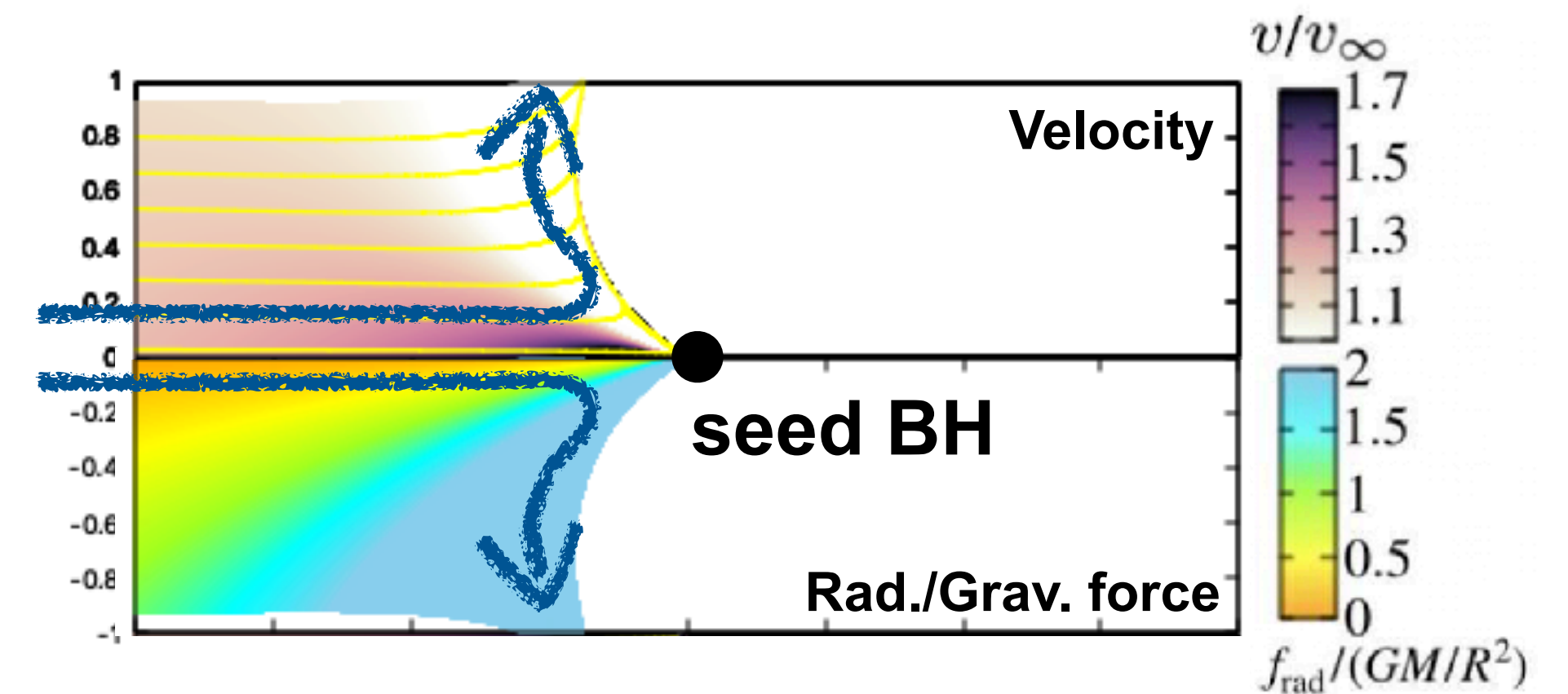
- Toyouchi et al. 2020

3D-radiation hydrodynamics sim.
assuming the isotropic radiation



- Ogata et al. 2021

Non-hydrodynamics calculation
assuming the anisotropic radiation



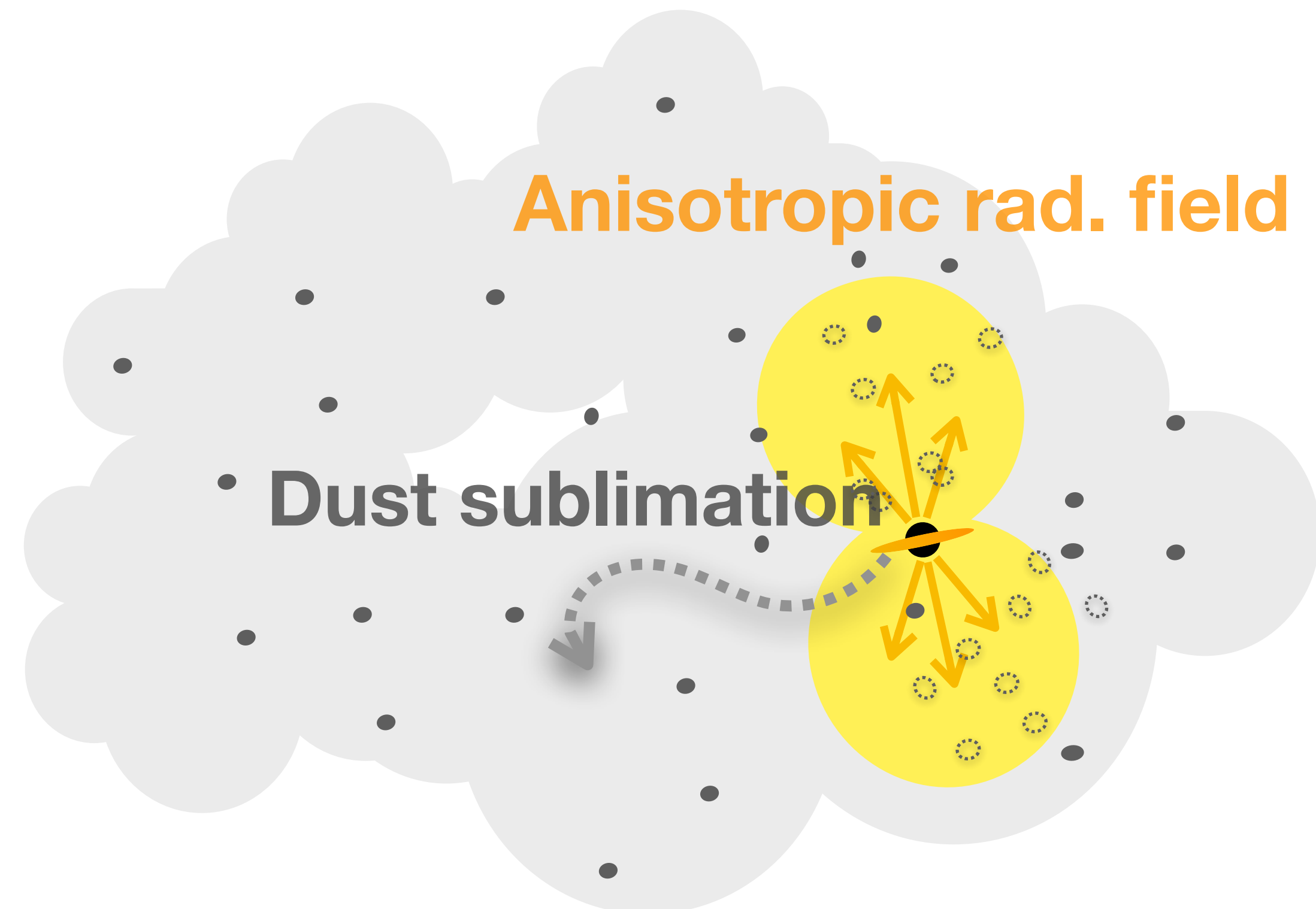
These works indicate that

both the hydrodynamics and the anisotropy of the radiation are important factors for the growth rate of seed BHs in dusty-gas

What are our strengths?

- In general, the BHs have accretion disks, and they produce anisotropic radiation field
- Such strong radiation heats and sublimates dust grains
 - We perform **3D-Radiation Hydrodynamics simulations**
 - considering the **Anisotropic radiation** and **Sublimation of the dust**

	Hydro-dynamics	Radiation	Dust sublimation
Toyouchi+2020	○	Isotropic	×
Ogata+2021	×	Anisotropic	×
This work	○	Anisotropic	○



Methods

- We use the 3D-radiation hydrodynamics sim. code SFUMATO-M1 (Fukushima & Yajima 2021) with the adaptive mesh refinement, the modified ver. of SFUMATO (e.g. Matsumoto 2007) and SFUMATO-RT (Sugimura+2020).



Radiation hydrodynamics eq.

$$\frac{\partial \rho}{\partial t} + \nabla \cdot (\rho \mathbf{v}) = 0$$

$$\frac{\partial(\rho \mathbf{v})}{\partial t} + \nabla(\rho \mathbf{v} \otimes \mathbf{v}) + \nabla P = \rho(\mathbf{g} + \mathbf{f})$$

$$\frac{\partial(\rho E)}{\partial t} + \nabla[(\rho E + P)\mathbf{v}] = \rho(\mathbf{g} + \mathbf{f}) \cdot \mathbf{v} + \Gamma - \Lambda$$

$$E = \frac{|\mathbf{v}|^2}{2} + (\gamma - 1)^{-1} \frac{P}{\rho}$$

Moment eq. (M1 closure)

$$\frac{\partial E_{\text{rad}}}{\partial t} + \nabla \cdot \mathbf{F}_{\text{rad}} = S - \alpha_E \tilde{c} E_{\text{rad}}$$

$$\frac{1}{\tilde{c}} \frac{\partial \mathbf{F}_{\text{rad}}}{\partial t} + \tilde{c} \nabla \cdot \mathbf{P} = -\alpha_F \mathbf{F}_{\text{rad}}$$

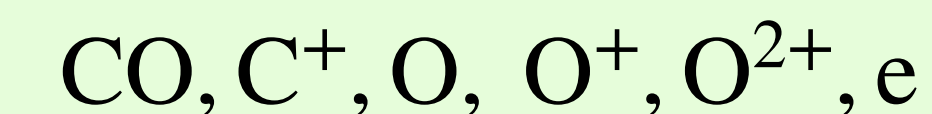
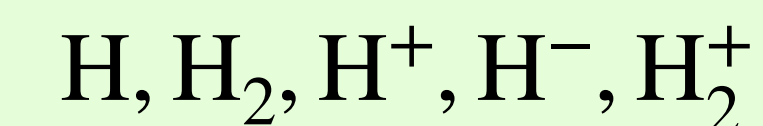
$$\mathbf{P}_{\text{rad}} = E_{\text{rad}} \mathbf{D}$$

$$\mathbf{D} = \frac{1 - \chi}{2} \mathbf{I} + \frac{3\chi - 1}{2} \mathbf{n} \otimes \mathbf{n}, \quad \mathbf{n} = \frac{\mathbf{F}}{|\mathbf{F}|}$$

$$\chi = \frac{3 + 4f^2}{5 + 2\sqrt{4 - 3f^2}}, \quad f = \frac{|\mathbf{F}|}{\tilde{c} E}$$

Chemical networks

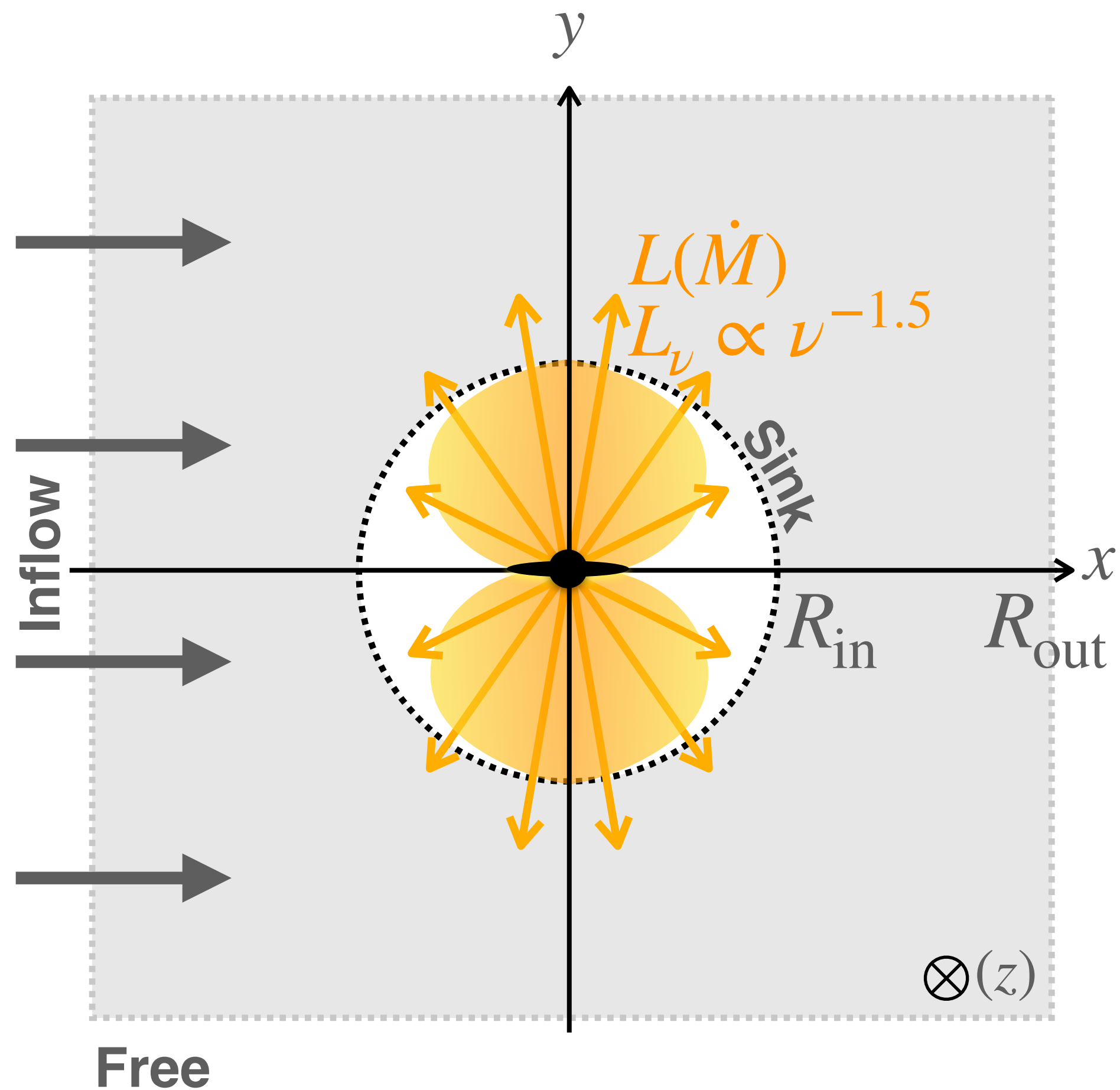
$$\frac{\partial(y_i n_{\text{H}})}{\partial t} + \nabla \cdot (y_i n_{\text{H}} \mathbf{v}) = n_{\text{H}} R_i$$



ρ : density E : total energy Γ : heating rate E_{rad} : radiative energy density α_E : absorption coefficient y_i : n_i/n_{H}
 \mathbf{v} : velocity \mathbf{g} : gravity Λ : cooling rate \mathbf{F}_{rad} : radiative flux α_F : absorption coefficient R_i : chemical reaction rate
 P : pressure \mathbf{f} : radiation force \mathbf{P}_{rad} : radiative pressure tensor \tilde{c} : reduce light speed rate

Simulation Settings

- We mask the BH accretion disk by the sink region and inject ionizing photons at the inner boundary with anisotropy ($\propto \cos \theta$)



- Sink radius $R_{\text{in}} = 2 \times 10^{-3} \text{pc}$
< Dust sublimation radi.
- Simulation box size $R_{\text{out}} = 2 \times 10^1 \text{pc}$
>> Ionized region & Bondi-Hoyle-Lyttleton radi.
- Luminosity
$$L = \begin{cases} 2L_{\text{E}} [1 + \ln \left(\frac{\dot{M}}{2\dot{M}_{\text{E}}} \right)] & (\dot{M} / \dot{M}_{\text{E}} > 2) \\ L_{\text{E}} \frac{\dot{M}}{\dot{M}_{\text{E}}} & (\text{otherwise}) \end{cases}$$
- Spectrum $L_\nu \propto \nu^{-1.5}$

Simulation Models

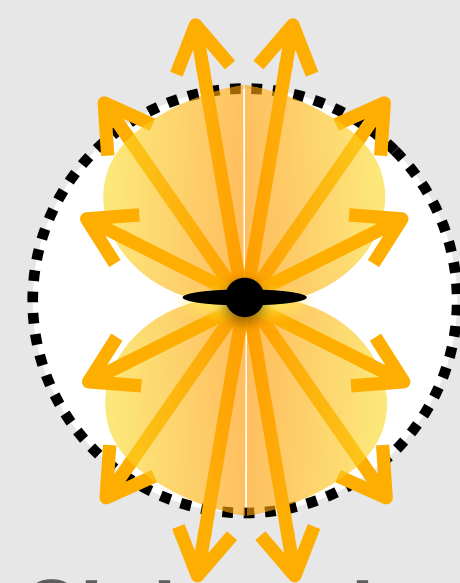
■ Parameters

$$Z = 0.1Z_{\odot}$$

$$T_{\infty} = 180 \text{ K}$$

$$v_{\infty} = 10, 20, 40, 80, 100 \text{ km/s}$$

$$n_{\infty} = 10^3, 10^4, 10^5, 10^6 \text{ /cm}^3$$



Sink region (Rest frame)

$$M_{\text{BH}} = 10^4, 10^5, 10^6 M_{\odot}$$

(z) ⊗

■ Fiducial model

$$\text{BH mass : } M_{\text{BH}} = 10^4 M_{\odot}$$

$$\text{Gas velocity : } v_{\infty} = 20 \text{ km/s}$$

$$\text{Gas number density : } n_{\infty} = 10^4 \text{ cm}^{-3}$$

$$\text{Gas temperature : } T_{\infty} = 180 \text{ K}$$

$$\text{Metallicity : } Z = 0.1Z_{\odot}$$

Disk inclination : edge-on

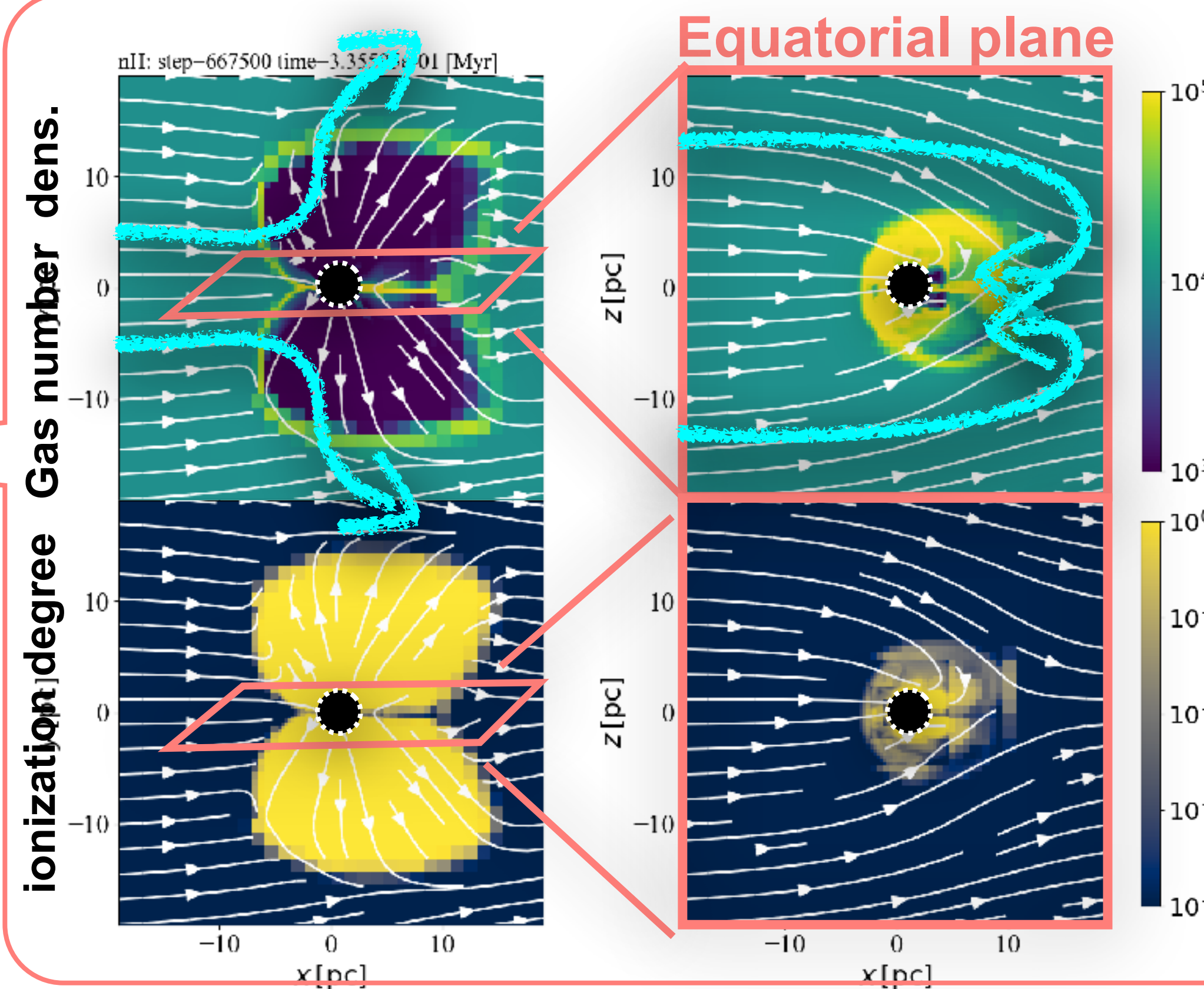
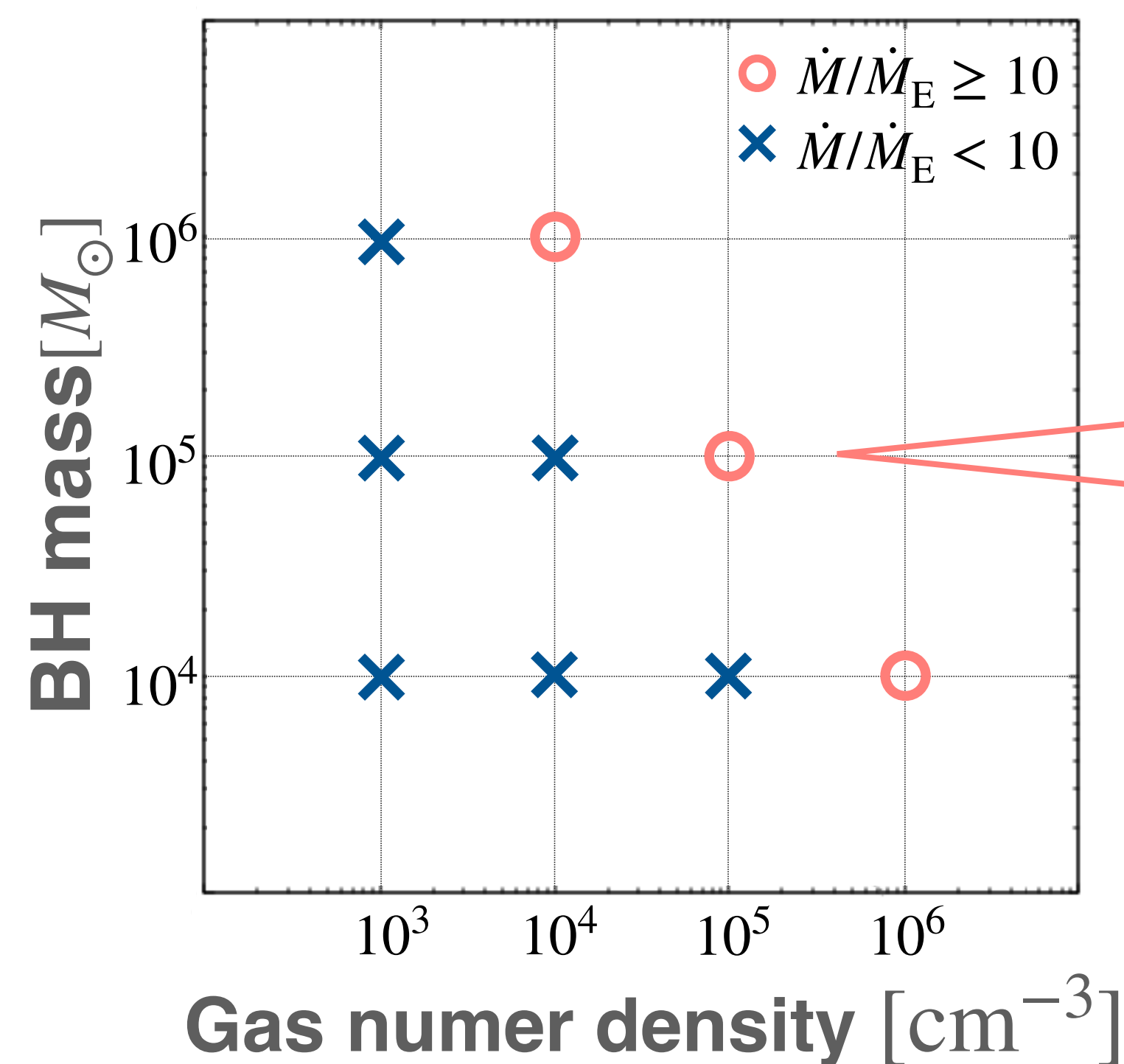
※Why do we choose these values as a fiducial model?

- Cosmological sim. show the flow structure with these values (in the remnant galaxies)

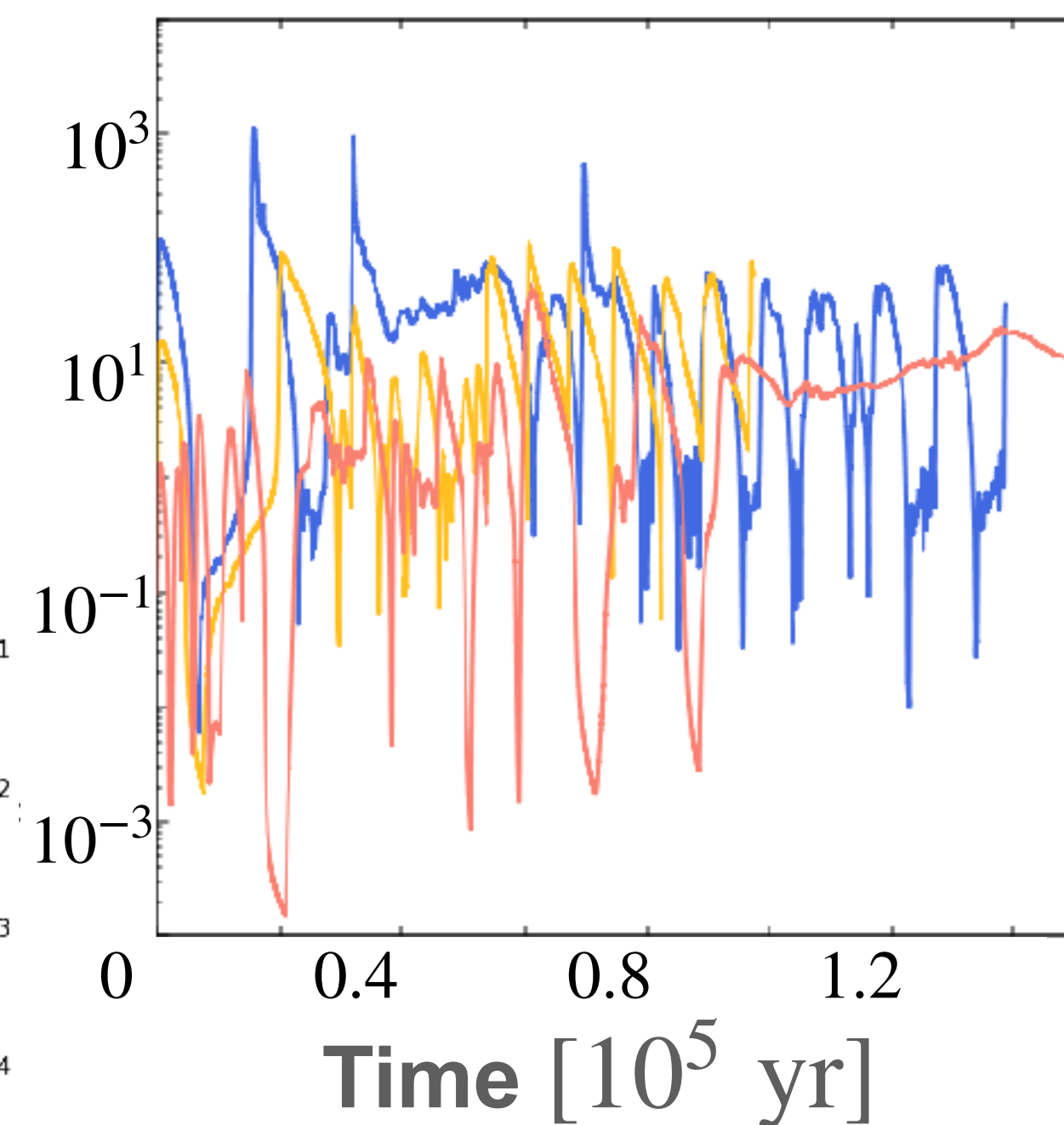
Mass accretion rate onto seed BHs

- Time-averaged accr. rate could be Super-Eddington rate ($\dot{M}/\dot{M}_E \geq 10$, $\dot{M}_E \equiv L_E/c^2$) if $M_{\text{BH}} n_\infty \gtrsim 10^{10} [M_\odot \text{cm}^{-3}]$ (left Fig.)
- Super-Eddington accr. occurs only by gas accr. near the equatorial plane (middle Fig.) (Collapse of the ionization region (e.g. Inayoshi+2016) is not a necessary condition)
- The accretion occurs intermittent (right Fig.)

Super-Edd. or Sub-Edd?



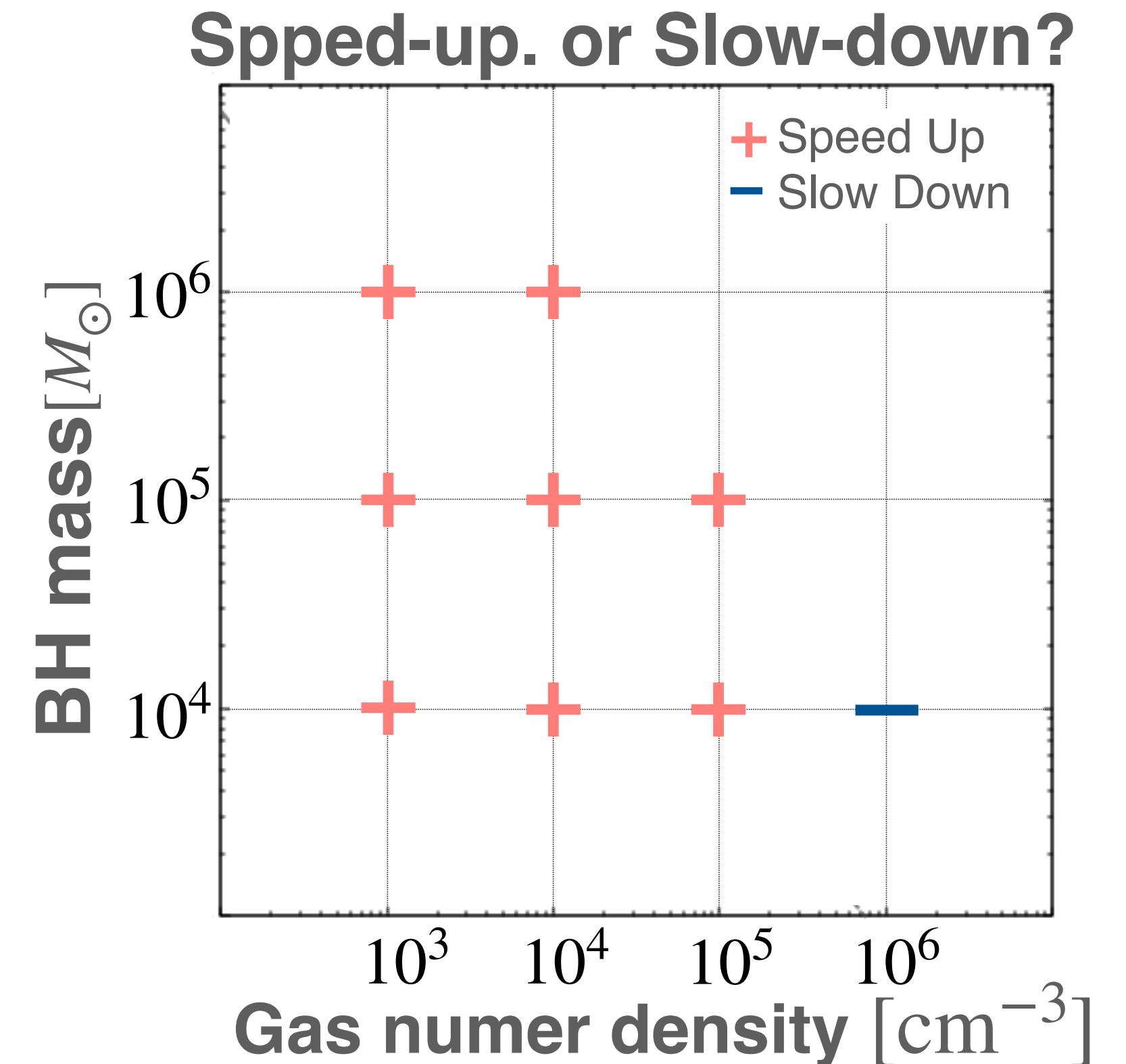
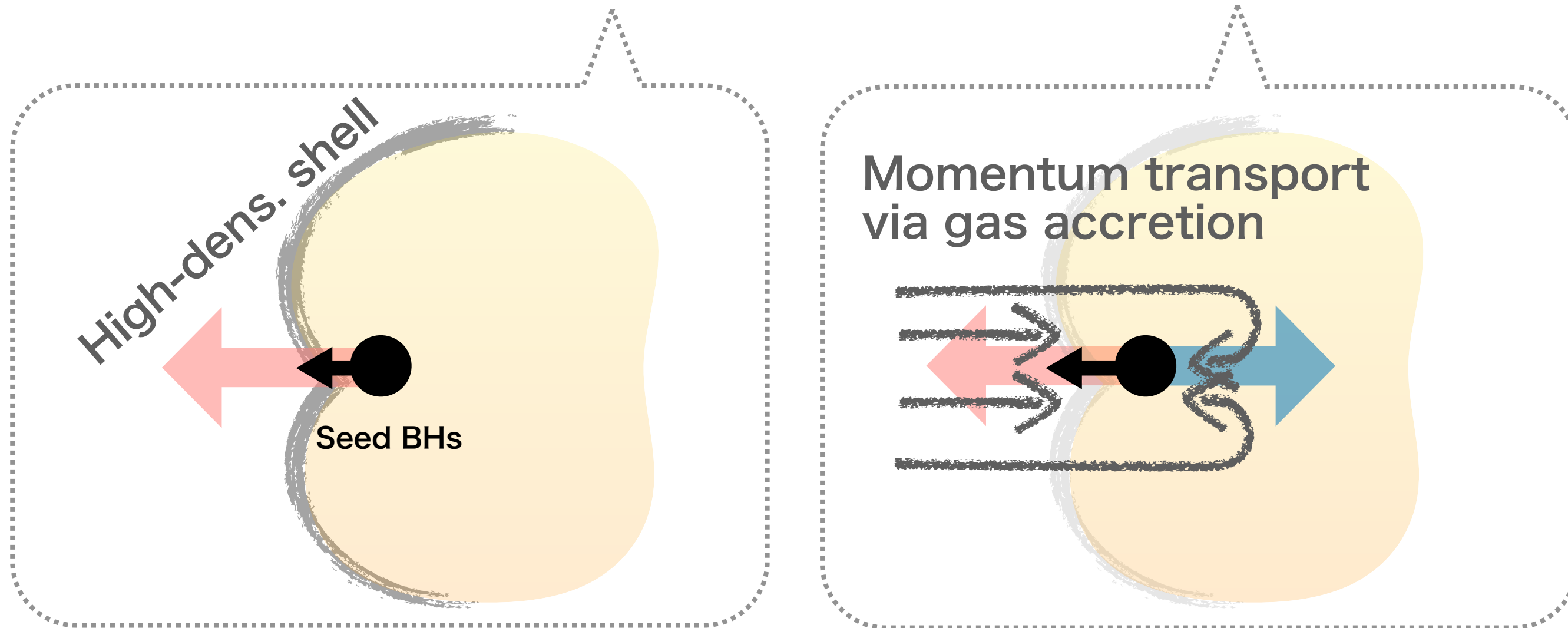
Accr. rate \dot{M}/\dot{M}_E



Acceleration of seed BHs

- We calculate the acceleration of seed BHs using the density and velocity distribution obtained from our simulations (below eq.)
- In the dusty-gas for $n_\infty \lesssim 10^5$ [cm⁻³], seed BHs moving at \gtrsim several \times 10km/s could accelerate in the direction of its motion**
- The main factor of acceleration is gravity caused by the high-density shell near the upstream ionization front**
(e.g. Toyouchi+20, Ogata et al. Submitted)

$$\text{Acceleration} = \underbrace{\int_0^{4\pi} \int_R^{R_{\text{out}}} \frac{\rho G x}{R'^3} dR' d\Omega}_{\text{Gravity from shell}} + \underbrace{\int_{S_{\text{sink}}} \rho v_x \mathbf{v} \cdot d\mathbf{S}_{\text{sink}}}_{\text{Momentum transport via gas accretion}}$$



DISCUSSION : Evolution of seed BHs

Accretion rate, acceleration $\rightarrow \rightarrow$ Timescales of mass growth (t_M) and velocity change (t_v)

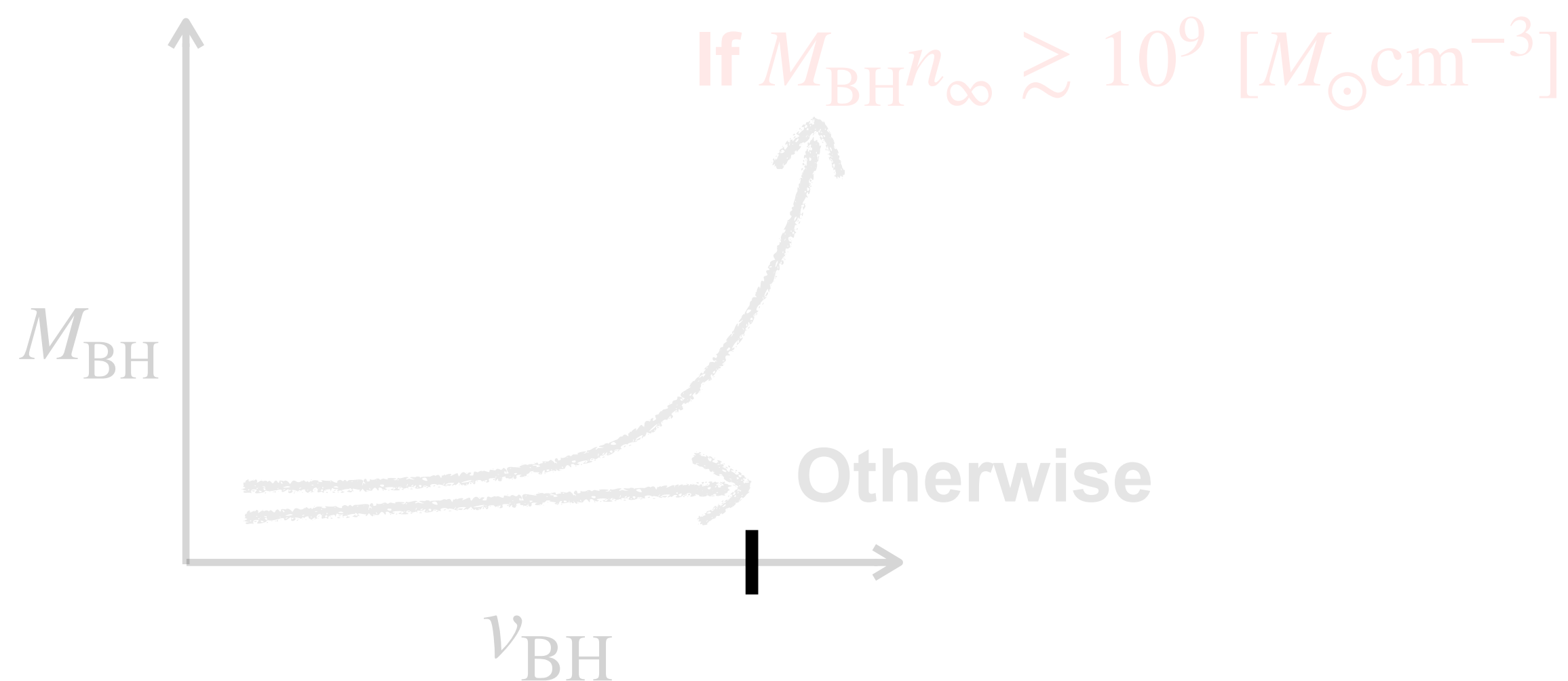
- **In any situation,** t_v (velocity change) $\ll t_{z=6}$ (age of the universe at $z = 6$)

$$t_v \text{ (velocity change)} \ll t_M \text{ (mass growth)}$$

\rightarrow Any seed BHs change velocity first and grow in mass later

- **Only if** $M_{\text{BH}} n_{\infty} \gtrsim 10^9 [M_{\odot} \text{cm}^{-3}]$, t_M (mass growth) $\ll t_{z=6}$ (age of the universe at $z = 6$)

\rightarrow Seed BHs could grow into supermassive BHs until $z \sim 6$



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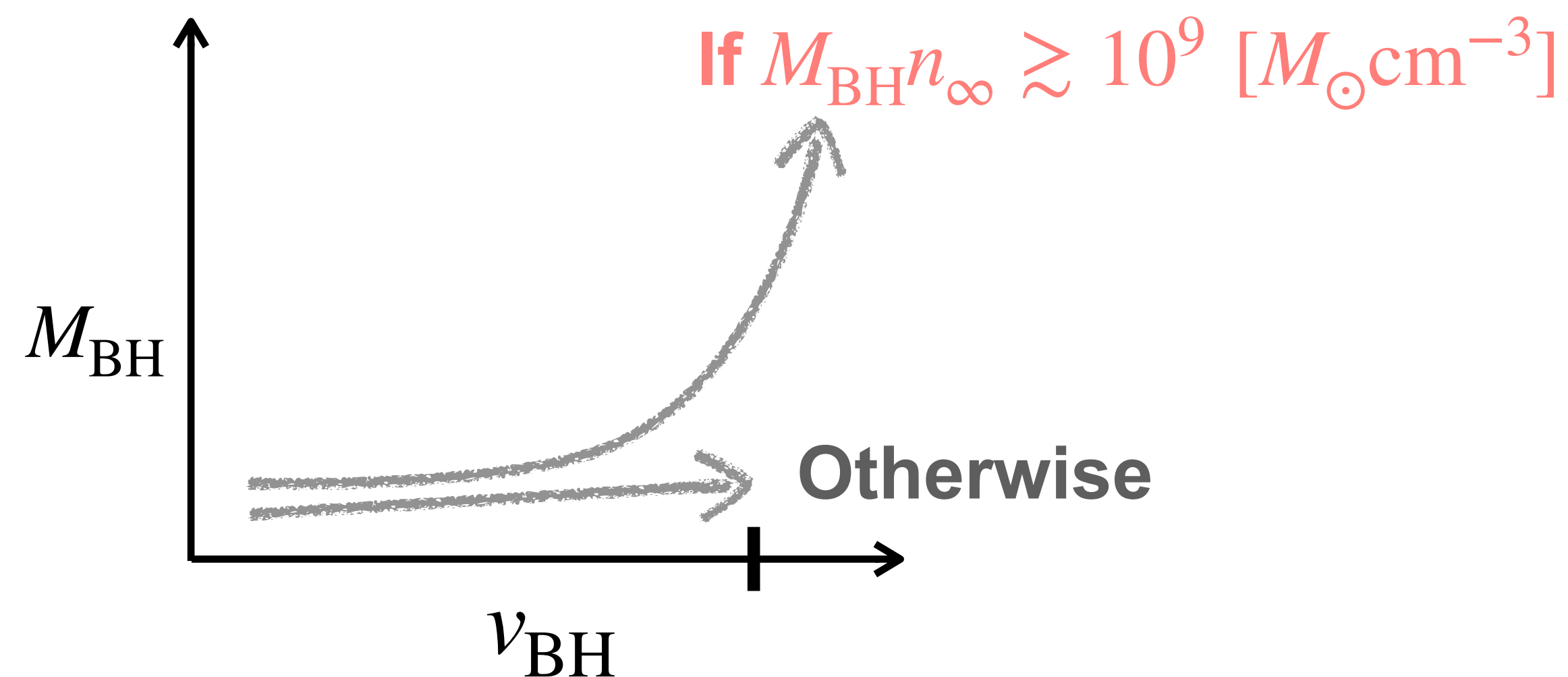
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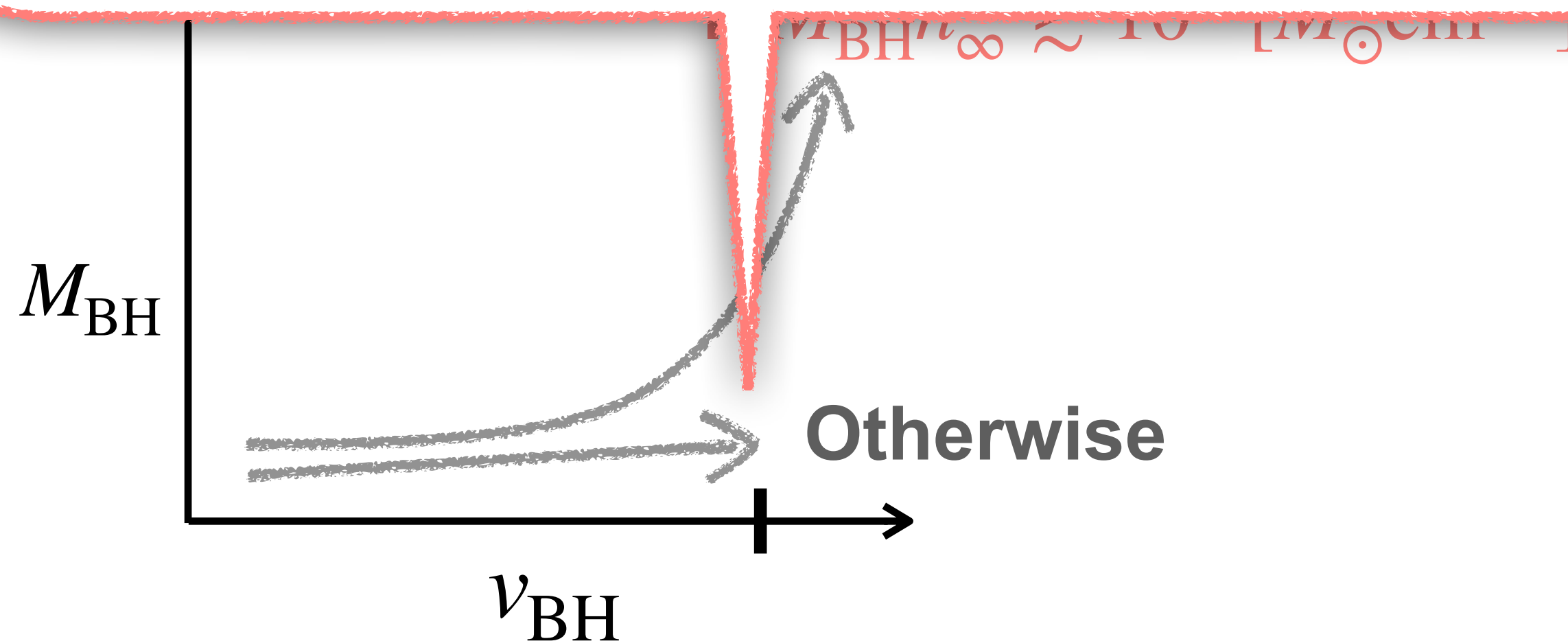
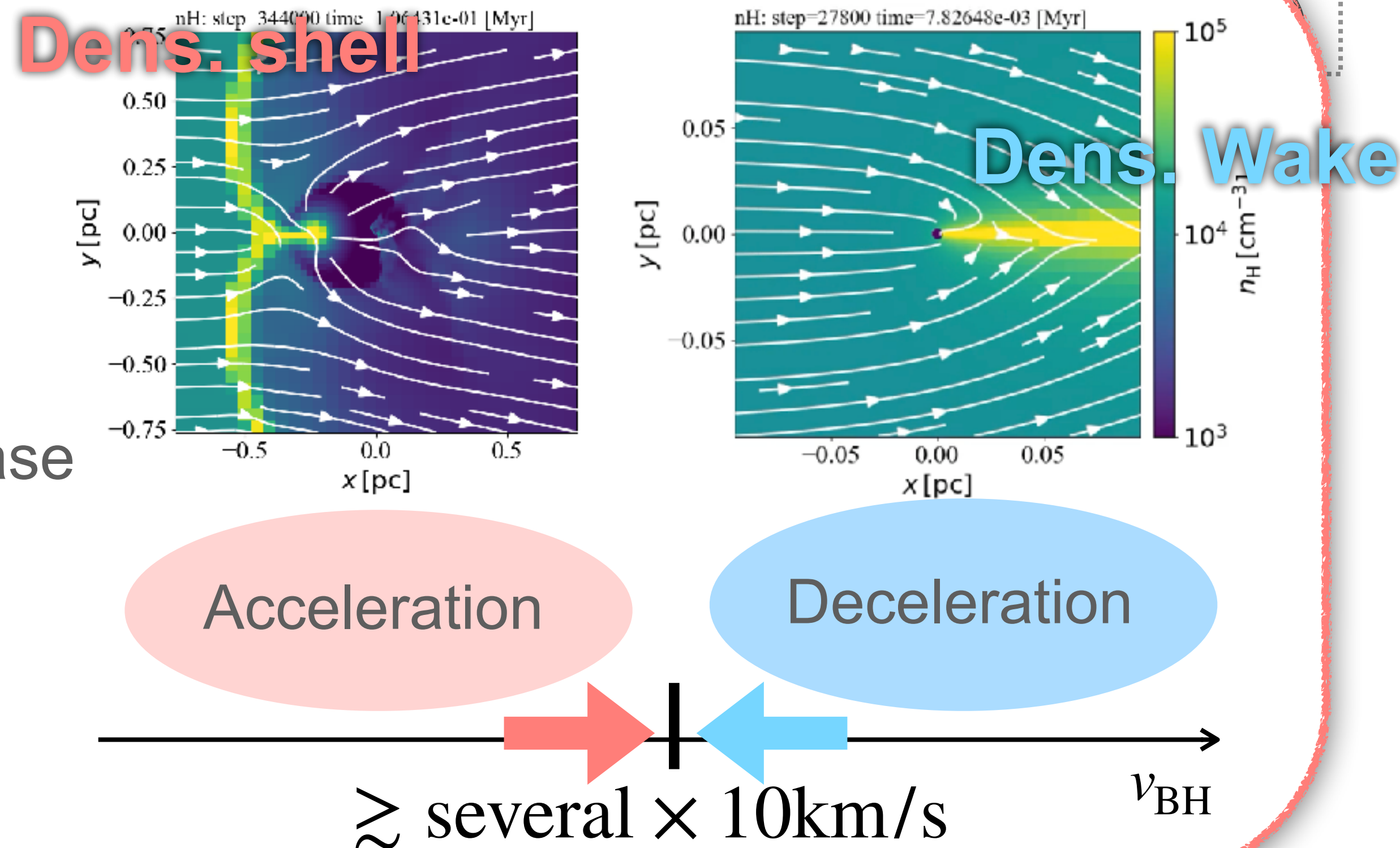
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DISCUSSION : Evolution of seed BHs

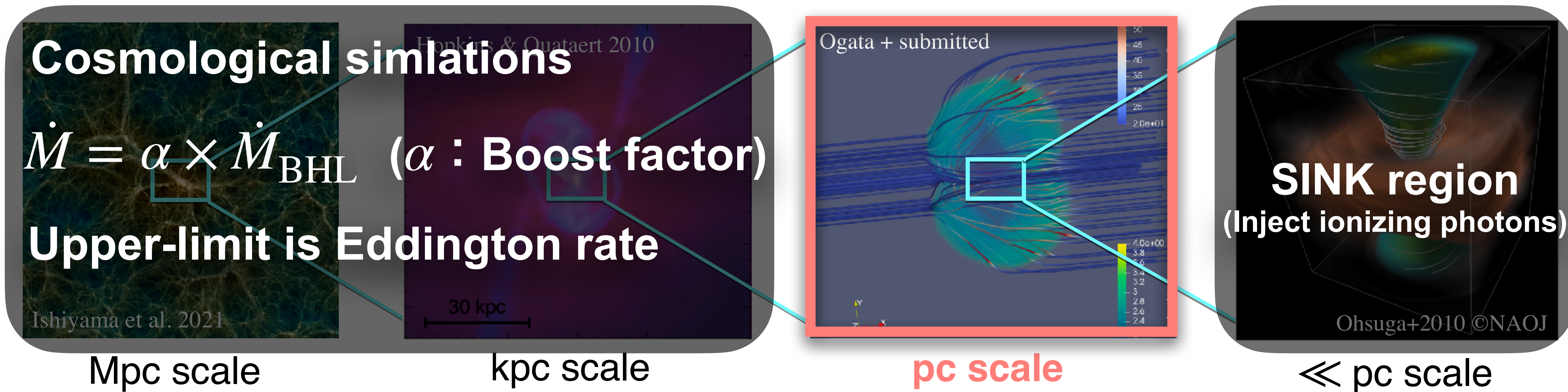
Note that,

- When the seed BHs accelerate to the velocity of about ~ 100 km/s, the flow structure becomes similar to the classical Bondi-Hoyle-Lyttleton accretion
- That is, seed BHs are in the deceleration phase (It doesn't keep accelerating all the time)
- Therefore, the **velocity distribution of seed BH could be biased** \gtrsim several $\times 10$ km/s



FUTURE WORK

- Because of the huge simulation costs, this study aims to understand the gas accretion mechanism at the sub-pc scale



- Our results suggest that

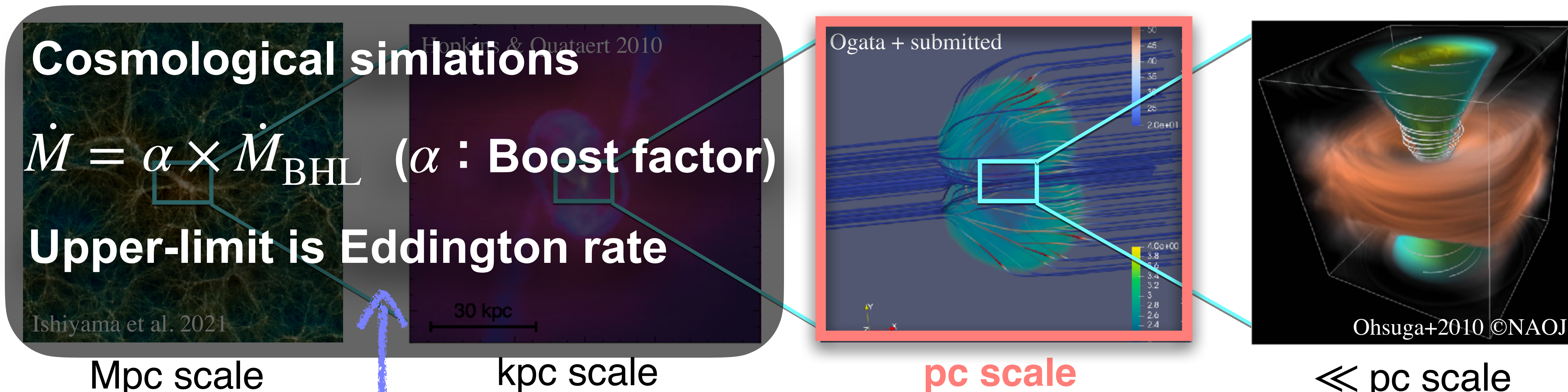
$$M_{\text{BH}} n_{\infty} \gtrsim 10^{10} [M_{\odot} \text{cm}^{-3}] : \dot{M} \gg \dot{M}_{\text{Edd}} \text{ (This presentation, Ogata et al. in prep.)}$$

$$M_{\text{BH}} n_{\infty} \ll 10^{10} [M_{\odot} \text{cm}^{-3}] : \dot{M} \ll \dot{M}_{\text{BHL}} \ \& \ \dot{M}_{\text{Edd}} \text{ (Ogata et al. submitted)}$$

➔ **Boost factor and the condition of upper-limit should be modified**

FUTURE WORK

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②
Adopting the new boost factor and upper-limit condition???

①
We will simulate iteratively between the PC and << PC scales to make new Bondi-Hoyle-Lyttleton formula

CONCLUSIONS

We study the growth rate of seed BH floating in dusty galaxies in the early universe with 3D-radiation hydrodynamics simulations

FEATURES

- Considering anisotropy of radiation and dust sublimation

RESULTS

Regarding seed BHs moving in the dusty gas,

- Super-Eddington accretion ($\dot{M} \gtrsim 10\dot{M}_E$) could occur due to gas supply from near the equatorial plane on the Bondi-Hoyle-Lyttleton scale
- If $M_{BH}n_\infty \gtrsim 10^9 [M_\odot \text{cm}^{-3}]$, seed BHs could grow into supermassive BHs at high-z, while the others could float with velocity changing and constant mass